Research Article

Effect of Temperature and Humidity on the Degradation Rate of Multicrystalline Silicon Photovoltaic Module

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In a PV module, the relative humidity (rh) of a front encapsulant is different from that of a backside encapsulant (rh\textsubscript{back}). In this study, the effective humidity (rh\textsubscript{eff}) in a PV module was investigated to study the effects of moisture variation on the degradation rate (\(R_D\)). rh\textsubscript{eff} represents uniform humidity in a PV module when it is exposed to certain damp heat conditions. Five types of accelerated tests were conducted to derive the relation between rh\textsubscript{eff} and rh\textsubscript{back}. rh\textsubscript{eff} showed a linear relationship with rh\textsubscript{back} at constant temperature. Two types of models, namely, Eyring and Peck models, were used for predicting the \(R_D\) of PV modules, and their results were compared. The \(R_D\) of PV modules was thermally activated at 0.49 eV. Furthermore, the temperature and rh\textsubscript{eff} history of PV modules over one year were determined at two locations: Miami (FL, USA) and Phoenix (AZ, USA). The accumulated \(R_D\) values based on the temperature and rh\textsubscript{eff} of the modules were calculated by summing the hourly degradation amounts over the time history.

1. Introduction

Moisture can diffuse into photovoltaic (PV) modules through their breathable back sheets or their ethylene vinyl acetate (EVA) sheets [1]. When in service in hot and humid climates, PV modules experience changes in the moisture content, the overall history of which is correlated with the degradation of the module performance [1]. If moisture begins to penetrate the polymer and reaches the solar cell, it can weaken the interfacial adhesive bonds, resulting in delamination [2] and increased numbers of ingress paths, loss of passivation [3], and corrosion of solder joints [4, 5]. Of these possibilities, the occurrence of corrosion has one of the highest frequencies in outdoor-exposed PV modules [6]. Significant losses in PV module performance are caused by the corrosion of the cell, that is, the SiNx antireflection coating, or the corrosion of metallic materials, that is, solder bonds and Ag fingers [7, 8]. Corrosion is defined as the destructive chemical or electrochemical reaction of a metal with its environment. The moisture from the environment may lead to electrochemical reactions that can result in corrosion. For the electrochemical reaction of metals with their environment, an aqueous, ion-conduction enabling environment is necessary; moreover, at high temperatures, gas-metal reactions are possible [9]. The International Electrotechnical Commission (IEC) 61215 test defines a damp heat (DH) test in 10.13. The DH test is conducted for determining the effect of long-term penetration of humidity on materials. Therefore, many researchers have studied the reliability of PV modules on the basis of IEC 61215. Laronde et al. [10] have employed DH testing to study the degradation of PV modules subjected to corrosion. Peike et al. [11] have reported that grid corrosion or reduced conductivity between the emitter and grid is the most likely cause of DH-induced degradation. They have also shown that high temperatures accelerate water vapor permeation into the module and the subsequent degradation reactions. Furthermore, it has been reported that loss of adhesion strength is exacerbated by
exposure to high humidity environments [2] and facilitates the delamination of EVA from the cell [3], which results in grid corrosion [12]. Therefore, in order to understand the effect of grid corrosion on the degradation of PV modules, one needs to comprehend how the surrounding environment affects the module temperature \( T_m \) and moisture content of the module. Kempe [1] has suggested that analytical equations can be used to determine timescales for moisture ingress with breathable back sheets. Koehl et al. [13] have shown that the maximum moisture concentration in front of a cell was not reached after 1,000 h under DH conditions at 85°C and 85% rh because of the long path to the back sheet. They have also documented that the humidity in front of the cell is not directly influenced by ambient fluctuations in actual weather conditions.

As mentioned above, PV modules are degraded by ambient temperature and humidity; moreover, these factors can accelerate the degradation. This degradation is mainly caused by corrosion [4, 5, 7, 8, 10, 11]. It can be assumed that the temperature of a PV module is uniform; however, moisture concentration in a PV module is not uniform. Therefore, it is difficult to predict moisture-induced degradation.

Therefore, in this study, effective humidity \( (rh_{eff}) \) in a PV module was investigated to study the effect of moisture variation in a PV module. \( rh_{eff} \) represents uniform humidity in a PV module when it is exposed to certain DH conditions. This paper documents the relation of \( rh_{eff} \) with ambient temperature and humidity. Moreover, the resultant module degradation rate \( (R_D) \) for various \( rh_{eff} \) values is also reported in this paper. These data allow the prediction of real-world thermal- and moisture-induced \( R_D \) values of PV modules and enable the computation of acceleration factor \( (AF) \) for the DH test.

### 2. Experiments

Six-inch multicrystalline Si (m-Si) solar cells were used in this study. The typical characteristics of the cells at a light intensity of 1 sun were approximately as follows: open-circuit voltage \( (V_{oc}) \), 0.60 V; short-circuit current density \( (J_{sc}) \), 33.9 mA/cm\(^2\); fill factor \( (FF) \), 0.72; and conversion efficiency, 16.8%.

A copper ribbon wire, which was plated with 62Sn36Pb2Ag solder, was used for cell interconnection. The dimensions of the ribbon wire were 0.15 mm × 1.5 mm. The samples were divided into two groups on the basis of lamination conditions. Type 1 was arranged with EVA, cell, and EVA. Type 2 was laminated with low-iron glass of area 180 mm × 180 mm and thickness 3.2 mm, an EVA of thickness 0.35 mm, a cell, an EVA, and a TPT back sheet of thickness 0.35 mm, as shown in Figures I(a), I(b), and I(c). The solar cells were laminated with EVA by heating them up to 150°C for 12 min. After encapsulation, the samples were divided into five groups and exposed to accelerated stresses, as shown in Table 1. Five kinds of test conditions were selected: 85°C, 85% rh (8585), 65°C, 85% rh (6585), and 45°C, 85% rh (4585) for temperature acceleration and 65°C, 75% rh (6575), and 65°C, 65% rh (6565) for humidity acceleration. A total of five cases, each with ten samples, were tested. DH conditions were obtained in an environmental chamber (Hygros340C, ACS Co., Massa Martaba, Italy).

The electrical performance of each sample was measured every 200 h using a solar simulation system (K202 Lab200, Mac Science, Seoul, South Korea). The standard test conditions were (a) irradiance: 1000 W/m\(^2\), (b) cell temperature: 25°C, and (c) spectral distribution of irradiance: AM 1.5 G (IEC60904-3).

Accelerated tests (ATs) were conducted for 4,500 h for 8585, 6585, and 4585 and for 3,200 h for 6575 and 6565. The maximum power of all samples decreased by over 5% after the ATs. Using the results, the average \( R_D \) for each condition was calculated.

### 3. \( R_D \) Prediction Models and Effective Humidity

\( R_D \) data can be postulated with an empirical kinetic model by assuming that the rate of degradation is proportional to the concentration of water in PV modules, and that the rate constant has Arrhenius temperature dependence.

Escobar and Meeker [14] has proposed two degradation models: variations of Eyring and Peck models, which are used for operating conditions when temperature and humidity are the accelerated stresses in a test. The degradation rate based on the Eyring model \( (R_{D,Eyring}) \) is given by

\[
R_{D,Eyring} = A \exp \left( \frac{-E_a}{kT} \frac{b}{rh} \right),
\]

where \( E_a \) is the thermal activation energy of the degradation process (eV), \( k \) is the Boltzmann constant \((8.62 \times 10^{-5} \text{ eV/K})\), \( T \) is the temperature \((\text{°C})\), and \( rh \) is the relative humidity (%). \( A \) and \( b \) are two constants dependent on the failure mode. \( R_D \) (%/h) is the inverse of the mean time to failure (MTTF) at a given condition. In order to obtain \( R_{D,P} \), we determined the time to 5% reduction in the initial maximum power \( (P_{max}) \) at all samples. The life distributions were determined with ALTA 7 software. Using the results, the MTTF was calculated.

The other degradation model based on the Peck model \( (R_{D,Peck}) \) is expressed as follows:

\[
R_{D,Peck} = B \exp \left( \frac{-E_a}{kT} \right) \cdot (rh)^n,
\]

where \( B \) and \( n \) are two constants dependent on the failure mode.
Figure 1: Test samples for DH tests: (a) PV module with EVA/cell/EVA structure (Type 1), (b) PV module with glass/EVA/cell/EVA/back sheet structure (Type 2).

Figure 2: Average normalized $P_{\text{max}}$ of Type 1 as a function of time.

In order to obtain $A, E_a$ in (1) and $B, n$ in (2), the equations can be represented on a logarithmic scale by a straight line, using the following equations:

\[
\ln (R_{D,\text{Eyring}}) = \ln (A) - \left( \frac{E_a}{kT} \right) - \left( \frac{b}{\text{rh}} \right),
\]

\[
\ln (R_{D,\text{Peck}}) = \ln (B) - \left( \frac{E_a}{kT} \right) + n \ln (\text{rh}).
\]

A plot of the left-hand side of (3) versus $1/T \text{ (K)}$ gives an Arrhenius plot with a slope $E_a/k$ and an intercept $\ln(k_o)$. \n
$\ln(R_D)$ versus $1/T \text{ (K)}$ gives an Arrhenius plot with a slope $E_a/k$ and intercepts $\ln(A)$ and $\ln(B)$.

The rh in PV modules depends on their ambient climate, material (encapsulant, back sheet) properties, and the operation conditions. If all information is available, moisture concentration in the backside encapsulant can be calculated using the diffusion model [1]. However, the moisture concentration in the front encapsulant is different from that at the back of the cell because of the long path from the back sheet [13]. In a 85°C, 85% rh test, the maximum moisture content in the backside encapsulant was reached quickly; however, the maximum moisture content of the front encapsulant was not reached even after 1,000 h of exposure time [13]. Therefore, rh$_{\text{eff}}$ of a PV module was considered to determine the uniform moisture content in the module.

In order to derive the effect of uniform humidity in a PV module on its degradation, PV modules with a EVA/cell/EVA structure (Type 1) were used as shown in Figure 1(a). This is because the cell and EVA layer structure allow water vapor to permeate the surface of the cell within minutes during the DH test [15].

In case of Type 1, it can be assumed that the rh in the PV module is uniform. If $E_a$ and constants $(A, B, \text{etc.})$ are determined, the degradation rate of Type 1 ($R_{D,\text{Type1}}$) can be predicted with

\[
R_{D,\text{Type1,Eyring}} = A_1 \exp \left( \frac{-E_{a,\text{Type1}}}{kT_1} - \frac{b_1}{\text{rh}_{\text{eff,Eyring}}} \right),
\]

\[
R_{D,\text{Type1,Peck}} = B_1 \exp \left( \frac{-E_{a,\text{Type1}}}{kT_1} \right) \cdot (\text{rh}_{\text{eff,Peck}})^n_1.
\]

However, in case of glass/EVA/cell/EVA/back sheet structure (Type 2), rh is not uniform in the PV module. Therefore, it is difficult to fix the rh in the PV module. If $R_{D,\text{Type2}}$ is known, $R_{D,\text{Type2}}$ is expressed with the right-hand side of (4), and rh$_{\text{eff}}$ is as follows:

\[
R_{D,\text{Type2}} = A_1 \exp \left( \frac{-E_{a,\text{Type1}}}{kT_1} - \frac{b_1}{\text{rh}_{\text{eff,Peck}}} \right),
\]

\[
R_{D,\text{Type2}} = B_1 \exp \left( \frac{-E_{a,\text{Type1}}}{kT_1} \right) \cdot (\text{rh}_{\text{eff,Peck}})^n_1.
\]
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![Graphs showing rh_eff versus rh for the backside EVA and rh_eff versus module temperature are plotted for two R_D prediction models: (a) rh_eff versus rh for the backside EVA at constant temperature for Eyring model, (b) rh_eff versus module temperature at constant humidity for Eyring model, (c) rh_eff versus rh for the backside EVA at constant temperature for Peck model, (d) rh_eff versus module temperature at constant humidity for Peck model.](image)

Figure 3: rh_eff versus rh for the backside EVA and rh_eff versus module temperature are plotted for two R_D prediction models: (a) rh_eff versus rh for the backside EVA at constant temperature for Eyring model, (b) rh_eff versus module temperature at constant humidity for Eyring model, (c) rh_eff versus rh for the backside EVA at constant temperature for Peck model, (d) rh_eff versus module temperature at constant humidity for Peck model.

Figure 3: rh_eff versus rh for the backside EVA and rh_eff versus module temperature are plotted for two R_D prediction models: (a) rh_eff versus rh for the backside EVA at constant temperature for Eyring model, (b) rh_eff versus module temperature at constant humidity for Eyring model, (c) rh_eff versus rh for the backside EVA at constant temperature for Peck model, (d) rh_eff versus module temperature at constant humidity for Peck model.

where $E_{a,\text{Type1}}$ and other parameters ($A_1$, $b_1$, $B_1$, and $n_1$) can be determined by ATs as shown in Table 1. Using (5), rh_eff is rearranged as follows:

$$rh_{\text{eff,Eyring}} = \frac{-b_1}{\ln(R_{D,\text{Type2}}) - \ln A_1 + \left(E_{a,\text{Type1}}/kT_1\right)^1}, \quad (6)$$

$$rh_{\text{eff,Peck}} = \left(\frac{R_{D,\text{Type2}}}{B_1 \exp(-E_{a,\text{Type1}}/kT_1)}\right)^{1/n_1}. \quad (7)$$

4. Results

4.1. Results of Accelerated Tests. The changes in average normalized $P_{\text{max}}$ of the modules in Type 1 as a function of time are plotted in Figure 2. The figure shows that $P_{\text{max}}$ decreases linearly over time. The results correspond well with those found in earlier studies [6, 16]. Several authors [17, 18] argue that the limited experimental evidence available is not enough to take the linear $R_D$ for granted and suggest that an exponential degradation rate could be a more suitable trend as is the case in some optoelectronic devices. However, it should be noted that both trends exhibit very similar evolution during the first 10–15 years; if similar initial annual degradation rates are assumed, then the linear degradation rate is a more pessimistic estimate [19].

In order to keep the discussions simple, we will not consider the exponential degradation rate here.
Using AT results of Type 1 samples, the $R_D$ was determined for each set of conditions. $E_a$ is obtained by fitting the $R_D$ data in (1) and (2) for three values of temperature. $E_a$, $Type1$ and other constants were calculated as summarized in Table 2.

$R_{D,Type2}$ of the modules was also determined for each set of conditions. The $R_D$ values (%/h) of 8585, 6585, 4585, 6575, and 6565 were 0.00611, 0.00208, 0.00087, 0.00132, and 0.00079, respectively.

In order to derive the relationship between $r_{h_{eff}}$ and $rh$ in the backside encapsulant, $R_{D,Type2}$ in (4) was replaced with $R_D$ values. Figure 3 shows a plot of $r_{h_{eff}}$ versus $rh$ in the backside encapsulant at a constant temperature and constant humidity. In both models, $r_{h_{eff}}$ versus $rh$ has a linear relationship.
Table 2: Activation energy and constants of Type 1 samples for Eyring and Peck models.

<table>
<thead>
<tr>
<th>Model</th>
<th>$E_a$</th>
<th>$A_1$</th>
<th>$b_1$</th>
<th>$B_1$</th>
<th>$n_1$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Eyring</td>
<td>0.49</td>
<td>$2.40 \times 10^6$</td>
<td>281.86</td>
<td>—</td>
<td>—</td>
</tr>
<tr>
<td>Peck</td>
<td>—</td>
<td>—</td>
<td>—</td>
<td>0.0037</td>
<td>3.82</td>
</tr>
</tbody>
</table>

relation at a constant temperature, and $r_{h_{\text{eff}}}$ decreases linearly with temperature at constant humidity (inset in Figure 3). Therefore, $r_{h_{\text{eff}}}$ is expressed as follows:

$$r_{h_{\text{eff,Eyring}}} = \left[ \frac{(73.521 - 0.0275 \cdot T)}{0.8555r_{\text{back}}} + 0.4114 \right] - \frac{1}{71.2},$$

$$r_{h_{\text{eff,Peck}}} = \left[ \frac{(74.417 - 0.0300 \cdot T)}{0.8552r_{\text{back}}} + 0.1584 \right] - \frac{1}{71.9}.$$ (8)

Using $r_{h_{\text{eff}}}$ values at AT conditions, predicted $R_D$ values of (5) are plotted as a function of time in Figure 4. It shows that the predicted $R_D$ is almost identical to the measured data.

4.2. Acceleration Factor. AF is defined as the ratio between the $R_D$ at a given temperature, $r_{h_{\text{eff}}}$ and $R_D$ at a reference temperature, and $r_{h_{\text{eff}}}$ (in our case 25°C, 50% rh) [20]. AF is expressed as

$$AF_{\text{Eyring}} = \exp \left[ - \frac{E_{a,\text{Type1}}}{k} \left( \frac{1}{T_0} - \frac{1}{T} \right) + b_1 \left( \frac{1}{r_{b_0}} - \frac{1}{r_{h_{\text{eff}}}} \right) \right],$$

$$AF_{\text{Peck}} = \exp \left[ - \frac{E_{a,\text{Type1}}}{k} \left( \frac{1}{T_0} - \frac{1}{T} \right) \left( \frac{r_{b_0}}{r_{h_{\text{eff}}}} \right)^{n_1} \right],$$ (9)

where $T_0$ and $r_{b_0}$ are the reference temperature and reference humidity, respectively.

Figure 5 shows the AF contours on plots of $r_{h_{\text{eff}}}$ versus module-temperature data. Estimated AFs for the 8585 condition versus 25°C, 50% rh range from 190× to 250× for the Peck and Eyring models, respectively. However, in real-world operation, a constant temperature and rh are not realistic. To project field $R_D$ at a specific location, it was characterized by the annual module temperature and rh of the backside encapsulant.

5. $R_D$ in Two Benchmark Climates

Two benchmark climates (BMCs) were selected to quantify the stress: Miami (FL, USA) and Phoenix (AZ, USA). The module-temperature history exposed to the two BMCs was derived from meteorological data [21]. Meteorological data for Miami, FL, for 2005 and Phoenix, AZ, for 2002 were obtained from the National Climatic Data Center.

The rh of the backside encapsulant was calculated using the model of moisture ingress [1]. We determined the activation energy for encapsulant solubility in a previous research [22]. $E_a$ for maximum water vapor transmission rate (WVTR$_{\text{max}}$) of back sheets was evaluated. The transient WVTR was measured using a WVTR instrument (Permatran-W$^{333}$, Mocon, Minneapolis, MN, USA) at 25°C, 37.8% C, and 50°C. Assuming an Arrhenius equation between WVTR$_{\text{max}}$ and temperature, WVTR$_{\text{max}}$ can be described by

$$WVTR_{\text{max}} = A \exp \left( - \frac{E_w}{kT} \right).$$ (10)

Parameters $A$ and $E_w$ were obtained from a curve fit of a plot of ln(WVTR$_{\text{max}}$) versus 1/kT. The $A$ and $E_w$ values are $2.703 \times 10^6$ g/m$^2$/day and 0.367 eV, respectively.

The accumulated $R_D$ based on the module temperature and $r_{h_{\text{eff}}}$ can be calculated by summing the hourly degradation amounts over the time history, as given by

$$\sum R_{D,\text{Type2}} \cdot t = A_1 \exp \left( - \frac{E_{a,\text{Type1}}}{kT_1} - \frac{b_1}{r_{h_{\text{eff,Eyring}}}} \right) \cdot t,$$

$$\sum R_{D,\text{Type2}} \cdot t = B_1 \exp \left( - \frac{E_{a,\text{Type1}}}{kT_1} \right) \cdot \left( r_{h_{\text{eff,Peck}}} \right)^{n_1} \cdot t.$$

(12)
Thermal and \( r_{\text{h eff}} \), Eyring history of a PV module over one year were calculated at two BMCs as shown in Figure 6. Compared with Miami, the module temperature at Phoenix is shifted more than 10°C higher and the \( r_{\text{h eff}} \) has a relatively low distribution.

Accumulated \( R_D \) in the two BMCs is calculated using (12), which are based on the module temperature and \( r_{\text{h eff}} \) of Figure 6.

The normalized \( R_{D, \text{Eyring}} \) and \( R_{D, \text{Peck}} \) of the PV module exposed to two BMCs are plotted over one year in Figure 7(a). The accumulated \( R_{D, \text{Peck}} \) was 3.0% greater than \( R_{D, \text{Eyring}} \) in Miami. The conditions of 8585 are normally used for DH tests as IEC 61215. Therefore, the accumulated \( R_D \) exposed to 8585 was evaluated and compared to the accumulated \( R_D \) in the Miami. The accumulated \( R_{D, \text{Eyring}} \) and \( R_{D, \text{Peck}} \) for exposure to 8585 were about 23.7 and 23.1 times greater than those in...
Miami, as shown in Figure 7(b). Koehl et al. [13] have reported that AF of 8585 is about 23 for a tropical site (Serpong, Indonesia), 40 for an arid site (Sede Boqer, Israel), and 106 for an alpine site (Zugspitze, Germany) for a degradation process with an activation energy of 0.416 eV.

In case of 6585, the $R_D$ values according to Eyring and Peck models are 9.5 and 9.3 times greater than those in Miami. Therefore, it can be supposed that the Peck model is a slightly conservative estimation for $R_D$ prediction.

6. Conclusions

The objectives of this study were to investigate the relation of ambient temperature and humidity with the $r_{eff}$ of a PV module and to use the $r_{eff}$ values to predict the $R_D$ values under actual weather conditions.

The degradation of PV modules is accelerated by temperature and humidity [1, 4, 5, 10, 11]. It can be assumed that the temperature in a PV module is uniform. However, the moisture concentration is not uniform [13]. Therefore, we used a Type 1 module with a EVA/cell/EVA structure for uniform humidity in the module.

Two types of models, namely, Eyring and Peck models, were used for $R_D$ prediction, and their results were compared with each other. Five types of ATs were conducted to determine $E_a$ and humidity dependence. The $R_D$s of PV modules were thermally activated at 0.49 eV.

The moisture content in a PV module is dependent on material properties such as back sheets and EVA. Therefore, we determined the relation between the $r$ of the backside encapsulant and $r_{eff}$. $r$ of the backside encapsulant was calculated using the moisture ingress model. Thermal and $r_{eff}$ history of a PV module over one year were calculated in two BMCs. For exposure to 8585, the accumulated $R_D$,Eyring and $R_D$,Peck values at Phoenix were, respectively, about 23.7 and 23.1 times greater than those at Miami.

**Abbreviation:**

AF: Acceleration factor  
AT: Accelerated tests  
BMC: Benchmark climate  
DH: Damp heat  
EVA: Ethylene vinyl acetate  
FF: Fill factor  
IEC: International Electrotechnical Commission  
$J_{sc}$: Short-circuit current density  
MTTF: Mean time to failure  
PV: Photovoltaic  
$R_D$: Degradation rate  
$R_D$,Eyring: Degradation rate based on the Eyring model  
$R_D$,Peck: Degradation rate based on the Peck model  
rh: Relative humidity  
rh$_{back}$: Relative humidity of a backside encapsulant  
rh$_{eff}$: Effective humidity  
$T_m$: Module temperature  
$V_{oc}$: Open-circuit voltage.

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