Research Article

A Comparative Study of Reliability-Ignorant and Reliability-Aware Energy Management Schemes Using UPPAAL-SMC

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Energy saving and high reliability are two key concerns in the design of real time systems. However, high reliability and low energy consumption are conflicting objects, and they are generally contrasted with temporal correctness. In this paper, we propose comparing reliability-ignorant and reliability-aware power management schemes with statistical model checking approach using UPPAAL-SMC. The power management schemes and the relevant components are modeled in the form of stochastic timed automata. And the analysis objectives are expressed as verification queries. With the model and queries as inputs, UPPAAL-SMC returns the probability of system failure and the expected value of energy consumption. In this analysis, we have considered three reliability-ignorant power management schemes and two reliability-aware power management schemes. Based on the comparative study, we provided guidelines for choosing the suitable scheme for a given system. One thing that should be emphasized is that our methodology is not limited to the schemes involved in this paper. The modeling and evaluating procedure can be applied to analyse other energy management schemes in practical application.

1. Introduction

The performance of modern computing systems has increased rapidly on account of the advancement in microprocessor technologies. The performance improvement comes at the expense of dramatically increased power consumption. Dynamic Voltage Scaling (DVS) [1] is an efficient energy management technique, which scales down the processor supply voltage and operating frequency simultaneously to save energy. Since changing the operating frequency may violate the timing constraints, Real Time DVS (RT-DVS) [2] has been proposed to achieve energy saving while preserving temporal correctness. In the recent past, a number of RT-DVS algorithms have been proposed for energy saving, which exploit the available static and/or dynamic slacks in the system. They adjust the supply voltage dynamically and collaborate with the Earliest Deadline First (EDF) or Rate Monotonic (RM) scheduling policy.

Another important concern in real time systems is reliability [3–5]. Reliability of a real time job is defined as the probability of the job being correctly executed before its deadline. For safety-critical real time systems, whenever a fault occurs, it must be detected and appropriately fixed. Otherwise, the consequence of fault can be catastrophic. Faults can be classified as transient faults and permanent faults, and the transient faults occur much more frequently than permanent faults [4]. With the continued scaling of semiconductors and advanced technologies of VLSI circuit design, practically all the digital devices will be more vulnerable to transient faults. Thus, we concentrate on transient faults in this work.

The backward error recovery is a cost effective technique, which exploits the system slack for rollback execution in order to tolerate transient faults. Obviously, since both DVS and backward recovery technique rely on the utilization of system slack, thus, there is an interesting tradeoff between system reliability and energy consumption. Moreover, it has been shown that voltage scaling has a direct and negative effect on system reliability. Scaling down voltage and frequency for energy saving could lead to dramatically increased
transient fault rates. For instance, though 63% active energy is
saved by scaling down the supply voltage, it leads to approssi-
mately 200 times higher probability of failure [5]. Recently,
both system reliability and energy consumption are consid-
ered in real time system design. Zhu et al. [3–5] have studied
the effects of energy management schemes on system reliabil-
ity and proposed two fault rate models related to frequency
and voltage scaling. Based on the proposed models, several
reliability-aware power management schemes have been
proposed, which achieve energy saving without degrading
system reliability.

The aim of this paper is comparing the reliability-ignorant
and reliability-aware power management schemes, so that
the impact of DVS methods on system reliability and energy
consumption of the hard real time systems can be observed.
In this study, the investigated schemes are static DVS scheme
[2], cycle conserving DVS scheme [2], look-ahead DVS
scheme [2], and reliability-aware power management (RA-
PM) scheme [4]. The comparison is based on statistical model
checking approach, in which the system is modeled as a
network of stochastic timed automata and the analysis object-
ives are expressed as verification queries. Subsequently, the
probability of system failure and the expected value of energy
consumption are obtained by verifying the system model with
respect to the corresponding queries using UPPAAL-SMC.
According to the results of comparative study, we propose
several guidelines for designers, so that they can decide which
scheme is more suitable for a given application.

There are several advantages of our methodology. It
assists in the analysis of reliability-aware power management
schemes with the recent branch of UPPAAL tool suite,
UPPAAL-SMC, which enables the analysis with statistical
model checking. Traditionally, reliability-aware power man-
agement schemes are analysed through extensive simulations,
which are time-consuming and do not guarantee the accuracy
of the results. Our methodology enables analysis of power
management schemes under different configurations, with-
out prototyping and measurement for each alternative. It can
be applied at the design stage, since the source codes of sys-
tems and simulator platforms are not required. In addition, it
should be noted that our methodology is not limited to the
schemes involved in this paper. The modeling and evaluating
procedure can be applied to analyse other energy manage-
ment schemes in practical application. What is more, we illus-
trate the usefulness of statistical model checking as a back-
end for analysing the reliability-aware power management
schemes.

The rest of the paper is structured as follows. Section 2
introduces the analytical models for reliability-aware power
management schemes. Section 3 gives a short introduction of
statistical model checking and the model checker UPPAAL-
SMC. Section 4 illustrates our methodology. Section 5
presents the modeling procedure in detail. Section 6 shows
the comparison and analysis procedure with experiments.
Section 7 reviews the related work. Finally, Section 8 con-
cludes this paper and outlines the future work.

2. Analytical Models

2.1. Application and Platform Model. In this paper, we con-
sider a real time application which consists of a set of
independent periodic real time tasks $\Gamma = \{\tau_1, \tau_2, ..., \tau_n\}$. Each
task is characterized by a pair $(P, C)$, where $P$ represents its
period (which is also the relative deadline) and $C$ denotes its
worst case execution time (WCET). Task $\tau_i$ generates infinite
jobs, with the first job arriving at time zero and the $j$th job
arriving at time $(j-1) \cdot P$ and has a deadline of $j \cdot P$. The task
set utilization (which is also the system utilization) is defined
as $U = \sum_{i=1}^{n} u_i$, where $u_i = \frac{C_i}{P_i}$ is the utilization of task $\tau_i$.

We consider the tasks running on a DVS-enabled pro-
cessor, the supply voltage may vary between $V_{\min}$ and $V_{\max}$
continuously, and the operating frequency can be scaled con-
tinuously between $f_{\min}$ and $f_{\max}$ accordingly. This assump-
tion is realistic; even if current DVS-enabled processors only
have a few discrete frequencies, each desired frequency can
be emulated by two adjacent frequencies or the next higher
discrete frequency can be used instead. It is shown in [4]
that the difference on the energy consumption for discrete
frequencies and continuous frequency is within 2%. In DVS
setting, the WCET $C_i$ of task $\tau_i$ is given under the maximum
operating frequency $f_{\max}$. For simplicity, we assume that the
actual execution time of a task is linearly dependent on the
operating frequency. That is, at the scaled frequency $f_s$, the
actual execution time of task $\tau_i$ is assumed to be $C_i \cdot f_{\max} / f_s$. The
tasks are executed on the processor according to the
preemptive EDF policy, and on the basis of the feasibility
condition for EDF, we assume that $U \leq 1$; otherwise, the
system will be not schedulable.

2.2. Power Model. For embedded systems, the power
consumption consists of three components: static power,
frequency-independent active power, and frequency-
dependent active power. The static power includes the power
to maintain the system circuits and keep the clock running.
This part of power can be removed only by turning the system
off. The frequency-independent active power includes any
power in the system that is independent of the operating
frequency. It can be removed by putting the system into sleep
states, which is achieved by dynamic power management
(DPM) schemes. The frequency-dependent active power
consists of any power that depends on the operating
frequency. We consider that the operating frequency is
approximately linearly related to the supply voltage. In this
paper, we adopt the system level power model originally
proposed in [3] and subsequently used in several recent
papers [6, 7], where the power consumption $P(f)$ of an
embedded system at frequency $f$ is given by

$$P(f) = P_s + \eta \cdot (P_{\text{ind}} + P_d)$$

$$= P_s + \eta \cdot (P_{\text{ind}} + C_{ef} \cdot f^m),$$

where $P_s$ is the static power, $P_{\text{ind}}$ is the frequency-independent
active power, and $P_d$ stands for the frequency-dependent
active power. If the system is in progress, $\eta = 1$. Otherwise,
when the system is turned off, $\eta = 0$. The frequency-
dependent active power $P_d$ equals $C_{ef} \cdot f^m$, where $C_{ef}$ is
the effective switching capacitance, $m$ is the dynamic power
exponent (both are system dependent constants; in general
$2 \leq m \leq 3$), and $f$ is the operating frequency.
Since energy is the integral of power over time, the energy consumed to execute a given job can be determined by

\[ E = P_s \cdot D + (P_{ind} + C_{ef} \cdot f^m) \cdot \frac{c}{f}, \]  

where \( D \) is the operation interval and \( c \) is the WCET of the task, so that \( c/f \) is the execution time of the job at frequency \( f \). It can be seen that \( P_s \) is always consumed during the operation interval, and the energy saving gained from DVS is independent of it. Thus, for simplicity, we assume \( P_s = 0 \) as done in [4].

2.3. Fault Model. During the operating time, a fault may be caused by various reasons, such as hardware failures, software errors, or cosmic ray radiations. In this paper, we focus on transient high faults, which are caused by cosmic ray radiations or high energy particles. And backward recovery techniques are used to tolerate them.

We adopt the fault model proposed in [3–5], in which it is assumed that the occurrence of transient faults follows a Poisson distribution and the average transient fault rate for system operating at frequency \( f \) can be expressed as

\[ \lambda(f) = \lambda_0 \cdot g(f), \]  

where \( \lambda_0 \) is the average fault rate corresponding to frequency \( f_{\text{max}} \) and \( g(f) = 1 \) for \( f < f_{\text{max}} \). Specifically, we adopt the exponential fault rate model proposed in [4, 5]:

\[ \lambda(f) = \lambda_0 \cdot g(f) = \lambda_0 \cdot 10^d(1-f)/(1-f_{\text{max}}), \]  

where \( d \) is a constant indicating the sensitivity of fault rates to DVS, \( f \) is the normalized frequency, and \( f_{\text{min}} \) is the lowest frequency. The maximum fault rate is assumed to be \( \lambda_{\text{max}} = \lambda_0 \cdot 10^d \), which corresponds to the lowest frequency. Therefore, it can be observed that reducing the supply voltage leads to increased failure rate and increased execution time; both will result in higher possibly of failure.

2.4. Reliability-Ignorant and Reliability-Aware Power Management. According to (2), lower frequency leads to less frequency-dependent active energy consumption. However, low frequency scales the application execution time, which results in more static and frequency-independent active energy. Therefore, there exists an energy-efficient frequency \( f_{ee} \); based on (1) and (2), it is easy to find out that [4]

\[ f_{ee} = \sqrt{\frac{P_{ind}}{C_{ef} \cdot (m-1)}}. \]  

Consequently, for energy efficiency, in this paper, the processing frequency is limited to the range \([f_{ee}, f_{\text{max}}]\).

Reliability-Ignorant Power Management Schemes. These schemes propose to utilize DVS for energy saving as much as possible, ignoring the concern of reliability, which may dramatically increase the probability of failure. There are three kinds of these schemes, namely, static DVS, cycle conserving DVS, and look-ahead DVS. In this paper, we use static EDF [2], ccEDF [2], and laEDF [2] on behalf of each kind of scheme.

Reliability-Aware Power Management Schemes. These schemes were originally proposed in [4, 5], which achieve energy saving while preserving system reliability. Zhu and Aydin [4] proposed reliability-aware task-level and job-level power management schemes, which exploit the available slack to schedule a recovery job and utilize the remaining slack for energy saving. It is shown in [4] that there exists an optimal value \( X_{opt} = sc \cdot ((P_{ind} + C_{ef})/(m \cdot C_{ef}))^{1/(m-1)} \) that minimizes the total fault free energy consumption. RA-PM schemes select the tasks among the task set, where the summation of the selected tasks should be closed to \( X_{opt} \). And the selected tasks are scaled down appropriately to minimize energy consumption.

3. Statistical Model Checking and UPPAAL-SMC

Statistical model checking [8] is one of the quantitative verification approaches, which efficiently addresses verification problem by combining the Monte Carlo method with temporal logic model checking [9]. It automatically samples the traces (or simulations) of the system model, checks whether the samples satisfy or violate the property, and finally applies a statistical estimation technique to compute an approximate value for the probability that the property is satisfied [9]. The estimation is correct up to some confidence level that can be set by user.

UPPAAL-SMC [10] is a stochastic and statistical model checking extension of UPPAAL toolbox for verification of stochastic hybrid systems. The modeling formalism of UPPAAL is an extension of classical timed automata with additional features such as integer variables, data structures, user-defined functions, and synchronization. And the modeling formalism of UPPAAL-SMC is based on a stochastic interpretation and extension of the timed automata used in UPPAAL; it has been extended to handle stochastic and non-linear dynamic behaviors, discrete probabilities, a stochastic interpretation for timed delays, and even dynamic process creation [10]. In UPPAAL-SMC, a system is represented as a network of interacting stochastic timed automata (STA), which communicate via broadcast channels and shared variables [10]. Three types of queries are supported by UPPAAL-SMC, that is, probability estimation, hypothesis testing, and probability comparison. The probability confidence interval can be estimated by the query \( \text{Pr}[\text{bound}] \phi \), the hypothesis testing is achieved by the query \( \text{Pr}[\text{bound}] \phi \geq p \) (where \( p \) is a specified threshold), and probability comparison is achieved by the query \( \text{Pr}[\text{bound}] \phi_1 \geq \text{Pr}[\text{bound}] \phi_2 \), where \( \text{bound} \) defines how to bound the runs. There are three ways to bound the runs including by time (specifying \( \leq N \), where \( N \) is positive integer), by cost (specifying \( \leq x \), where \( x \) is a specific clock), and by number of steps (specifying \( \leq N \)) [10].

4. Illustration of Our Methodology

The block diagram of our methodology is shown in Figure 1, in which dash lines represent manual steps, while solid lines
represent automated steps. That is, the modeling procedure of all the templates and the expressing of verification queries are done manually.

Four inputs are required for analysing power management schemes. Each power management scheme is modeled as an individual template (the model is called template in UPPAAL-SMC) in form of stochastic timed automata. The task sets generation template generates the task sets to which the schemes can be applied. It consists of a task attributes generator template that produces timing attributes of each task, and the task template captures the behavior of real time tasks. The processor template captures the behavior of the processor and records the variation of energy consumption. What is more, the analytical fault model is also implanted in the processor template, which captures the occurrence of transient faults. The analysis objectives are expressed as verification queries using temporal logic. With the templates and queries as inputs, UPPAAL-SMC returns the probability of system failure and the expected value of energy consumption. For each power management scheme, we alter the parameters in task set attributes and invoke the verification process repetitively. It should be noted that the task attributes generator template is involved in every verification process. Thus, all the schemes are applied to task sets with the same attributes instead of prior generated task sets. This is necessary to obtain unbiased results, since prior generated task sets may be biased. We record the results provided by UPPAAL-SMC in information tables, so that further analysis can be accomplished. Finally, we visualize the information tables in form of line charts, so that the difference between reliability-ignorant and reliability-aware power management schemes can be observed. In addition, the impact of task set attributes upon different power management schemes can also be observed.

5. Modeling in UPPAAL-SMC

In this section, we introduce the formal framework for analysing reliability-aware power management schemes. Each template is described in detail, with the channels and shared variables; UPPAAL-SMC will compose all the templates so as to obtain the entire model for analysis. The templates of reliability-ignorant power management schemes are not depicted in this paper. This is because we had depicted these templates in the previous paper [11], so we only depict the template of reliability-aware power management in this section.

5.1. Task Attributes Generator. The generator template generates the timing attributes of each task. Two key parameters for task attributes generation are the task set utilization Uti and cardinality number \( N \). The generator sets the utilization of each task; meanwhile, it guarantees the task set utilization \( \sum_{i=1}^{n} u_i = Uti \), where \( u_i \) is the utilization of \( t_i \). Once a task’s period has been chosen, its WCET and WCEC (worst case execution cycles, that is, the value obtained by multiplying WCET by the maximum frequency) can be obtained subsequently.

As shown in Figure 2, UUnifast [12] algorithm is implemented in form of UPPAAL template, which takes two parameters, task set utilization Uti and cardinality number \( N \), respectively. In the generator, tasks’ periods are randomly selected in the range of \([5 \ast \text{PERIOD}, 10 \ast \text{PERIOD}]\), where \( \text{PERIOD} \) is the task cardinality period. This model iteratively generates the attributes of each task with respect to the task set parameters.

5.2. Real Time Task. The task template is depicted in Figure 3, which takes a single parameter, namely, the task identifier tid that is used to index the task attributes arrays as well. Each task is represented by an instance of the task template.
equipped with the timing attributes generated by the generator. The task identifier is used as the index to associate the template and the attributes array.

Whenever a job (an instance of a task, and all the jobs of one task share the same task identifier) is released, it signals the scheduler that it is ready for execution using release[tid]. Meanwhile, two clock variables called time[tid] and exec are initialized, where time[tid] represents the time since the beginning of the current period and exec is a stopwatch used for counting the execution cycles in current period. Moreover, the actual execution cycles, acec, of this job are calculated with formula acec = (random(BCEF) + BCEF) * wcec[tid]; that is, acec is a value in the range of [BCEF * WCEC, WCEC], where BCEF (in general, 0 ≤ BCEF ≤ 1) stands for the best case fraction of worst case execution cycles.

The invariant on location Ready indicates that exec does not progress (exec == 0); that is, the job is not running, and it cannot stay in this location longer than the task's period. The location Run corresponds to busy executing, in which the growth rate of exec is fre, that is, the current normalized frequency. When exec is equal to acec, the template moves to Finish location and stays in this location until the next
Figure 4: RA-SPM-LUF template.
Whenever the processor frequency is changed or a transient fault has occurred, delay is recalculated and t is reset to 0. When a transient fault occurs, the template releases a transient fault. After receiving a transient fault signal, RA-DPM template decides to report a system failure or activate a recovery job.

6. Comparison of the Power Management Schemes

In this section, we compare the power management schemes under different task set configurations. In addition, the impact of task set attributes upon these schemes is also investigated.

For each power management scheme, we alter the parameters in task set attributes and invoke the verification process repetitively. In each experiment, we alter one parameter and keep the remaining parameters constant, so that the impact of that parameter upon different schemes can be observed. We compare the system reliability and energy consumption under each power management scheme, and basic EDF policy is used as a baseline.

UPPAAL-SMC is utilized to verify the model with respect to specified queries, so that the probability of failure (RA-DPM template reports a transient fault) and power consumption can be obtained. Besides RA-DPM-LUF and RA-DPM-SUF templates, we have implemented the template of EDF, staEDF, ccEDF, and laEDF for comparison.

The two analytical objectives of our approach are the probability of failure and the energy consumption. These two objectives are expressed in form of UPPAAL-SMC query language as follows.

The probability interval of having a system failure can be obtained by the following query:

$$\Pr[\text{Energy} <= \text{MAX}] \{<> \text{gTime} >= T\}, \quad (7)$$

where MAX is a constant larger than the reachable range of the energy consumption of all runs. This query computes the probability interval of reaching time beyond T within a large energy bound, which is trivially true. But in addition, the tool provides the mean value of Energy variable, which is a key metric in comparison.

In our analysis, task sets are automatically generated with the generator template. The task set utilization is varied with a step size of 0.1 within the range of [0.1, 1.0]. The task set cardinality number is 10 and the task set period is 1000. The same task set attributes have also been used in [4]. For processor parameters, we use normalized frequencies with $f_{\max} = 1$ and assume the frequency can be varied continuously. Moreover, we assume $P_{\text{ind}} = 0.1$, $C_{ef} = 1$, and $m = 3$ in formula (1) and the average fault rate as $\lambda_0 = 10^{-4}$ at $f_{\max}$ based on the data provided in [4, 5]. With these processor characteristics, the minimum energy-efficient frequency $f_{ee} = 0.37$.

The parameters for statistical model checking are set as follows: the probability of false negatives $\Xi = 0.001$ and the probability uncertainty $\epsilon = 10^{-5}$, so that the result is correct up to the confidence level $(1 - \Xi)$ and the confidence interval width is less than $2\epsilon$. And we set the time bound $T = 100000$ as done in [4].

All the experiments are performed by a machine learning enhanced version of UPPAAL-SMC; the average runs required to get the expected accuracy are about two hundred thousand. And the experimental platform is as follows: CPU: Intel E5-2600v4; memory: DDR4 128G; OS: Red Hat Linux 6.5. The uppaal code is available in https://github.com/Chelseeeea/model-checking.

6.1. Experiment Results and Analysis. In the first experiment, we compare the schemes under different task set utilizations. The task set utilization is varied, and the remaining parameters are kept constant. We assume that all jobs consume their WCEC; that is, acc = wcce in the task template. Therefore, under this configuration, only the static system slack is available; thus ccEDF and staEDF have the same behavior. This assumption is made in order to eliminate the potential impact of actual execution cycles on the actual task set utilization.

As shown in Figure 6(a) (note the log scale of $y$-axis), compared to reliability-ignorant schemes, reliability-aware schemes reduce the probability of failure distinctly. As the task set utilization increases, the probability of failure under classic EDF increases linearly. The main reason is that, with the increased task set utilization, the executing time of tasks increases, which increases the probability of occurring transient fault. Compared to classic EDF, the probability of failure
under reliability-ignorant power management schemes is relatively larger; this is because these schemes scale down the operating frequency that increases the fault rate and extends jobs’ execution time; both will increase the probability of failure. Comparatively, reliability-aware schemes preserve the system reliability, meanwhile achieving reasonable energy saving. It should be noted that when the task set utilization is low (e.g., \(U < 0.37\)), tasks always run at \(f_{ee}\) and the probability of failure increases slightly with increased utilization. As the task set utilization continues to increase, this results in operating frequency increasing, which has lower fault rates and thus leads to a lower probability of failure. Besides, the probability of failure under laEDF is negligibly larger than that under ccEDF. However, it is indiscernible in the figure.

Figure 6(b) illustrates the normalized energy consumption under different schemes with classic EDF as baseline. It can be seen that when the task set utilization is low, all the schemes have the similar normalized energy consumption. When the task set utilization is higher than 0.37, reliability-aware schemes always consume more energy than staEDF and laEDF. This is because the reliability-aware schemes reserve part of system slack for potential backward recovery; thus there is less spare capacity available for energy management.

In the second experiment, we compare the schemes when dynamic system slack is available. Thus, we relieve the limitation on the actual execution cycles of jobs. We assume that acc of jobs are in the range of \([0.5 \times WC\), WC\]); that is, BCEF = 0.5 and acc = \((\text{random}(0.5) + 0.5) \times wc\) in the task template. Comparing Figure 6(a) to Figure 7(a), it can be observed that when the dynamic system slack is available, for ccEDF and laEDF, the probability of failure increases dramatically. This is because ccEDF and laEDF utilize the dynamic system slack to further scale down the operating frequency that leads to a higher probability of failure. And it can be seen that the aggressive algorithm laEDF has obviously larger probability of failure than staEDF. This is because laEDF pushes the jobs as much as possible and executes the jobs with the lowest frequency that ensures the deadline, which increases the probability of failure. Moreover, as shown in Figure 7(b), the normalized energy consumption decreases under ccEDF and laEDF and that under the remaining schemes is not highly effected; this is because the former two schemes utilize the dynamic system slack generated by early termination to save energy.

In the third experiment, we further compare the schemes when different amount of dynamic systems slack is available. We vary the best case fraction (BCEF) of worst case execution cycles, with step size of 0.1 in the range of \([0.1, 1.0]\), and keep the task utilization equal to 0.6. It is shown in Figure 8(a) that as the BCEF increases, the probability of failure under ccEDF and laEDF dramatically decreases, and that under staEDF, classic EDF, and reliability-aware schemes linearly increases. Moreover, as shown in Figure 8(b), the normalized energy consumption slightly increases. This is because, for ccEDF and laEDF, when BCEF is low, more dynamic slack can be utilized to scale down the operating frequency that increases the probability of failure and decreases the energy consumption. The remaining schemes do not utilize the dynamic slack, so that as BCEF increases, the jobs’ actual execution time increases accordingly which leads to larger probability of failure.

In the last experiment, we compare the schemes when more tasks are in the task sets. We change the task set cardinality number to 20 and keep BCEF equal to 1, meanwhile, varying the task set utilization. Comparing Figure 6 to Figure 9, it can be observed that, with increased task set cardinality number, regardless of the schemes, the probability of failure is dramatically decreased and the normalized energy consumption is not highly affected. And the shape of
the curves is preserved. This is because, with the increased task set cardinality number, each task has smaller utilization that leads to shorter execution time and thus decreases the probability of failure. However, the normalized energy consumption mainly depends on the task set utilization; it will not be highly affected by task set cardinality number.

6.2. Summary and Guidelines. The results obtained in the experiments can be confirmed by the results proposed in [4, 5], which demonstrate the correctness and usability of our methodology. According to the obtained results, we have the following summaries:

(i) The most impacting factors of system reliability are the task set utilization and cardinality number.

(ii) The best case fraction (BCEF) of worst case execution cycles will highly affect the system reliability under dynamic power management schemes (ccEDF and laEDF), but it linearly affects the static power management schemes.

(iii) The normalized energy consumption is mainly influenced by task set utilization, and BCEF will highly affect that under dynamic power management schemes.
In consequence, we would like to give the following guidelines:

(i) When system reliability is the major concern and the system workload is low, reliability-aware schemes are the proper methods.

(ii) Static power management schemes are more stable in the context of reliability, since they are not highly affected by the variation of BCEF.

(iii) The most convenient way to improve system reliability is decomposing the big tasks into small tasks, since increasing the task set cardinality number dramatically decreases the probability of failure.

(iv) When energy consumption is the major concern, the dynamic power management schemes are the proper methods.

7. Related Work

In [13], Aminzadeh and Ejlali used analytical models to explore and compare four different energy management methods. They proposed to use Markov models to obtain analytical models for reliability and energy consumption. Hardware replication is used to achieve fault tolerance under their assumption. In their paper, they considered a system with two identical processors. One processor is used as a primary unit and the other one as a backup. Based on the consideration above, they proposed to use Markov models to obtain analytical models for reliability and energy consumption. They considered four existing methods: classic dynamic power management (DFM), classic DVS, postponement method, and hybrid method. They have provided reasonable results with the analytical models. By contrast, we consider the system with one processor and use backward recovery to tolerate the fault. Their approach is based on analytical models and only considers a single period of job execution, which limits its applicability. In general, their work is a theoretical study under idealized consideration, and it is based on mathematical formulas and calculation. Comparatively, the objective of our approach is to provide a practical methodology for analysis of the reliability-aware power management schemes.

In [3], Zhu et al. explored the effects of energy management on system reliability for real time embedded systems. They considered two fault rate models, the linearly decreasing fault rate model under frequency scaling and the exponentially increasing fault rate model under voltage scaling. After that, in [4], they proposed a RA-PM framework for periodic real time tasks and studied task-level utilization based static RA-PM schemes and a job-level dynamic RA-PM scheme. Checkpointing techniques are further explored to more efficiently use the dynamic slack in [5]. In [14], Mittal and Vetter presented a survey of techniques for improving the reliability of computing systems. They underscored the crucial importance of reliability in future systems and identified research directions that merit further exploration. These papers presented the basic theories of reliability-aware power management. All the analytical models provided in these papers are the foundation of our approach, and their experimental results are used as the criterion to judge the correctness of our approach.

In [11], Dai et al. illustrated the applicability of statistical model checking to the area of RT-DVS algorithms evaluation. The relevant components involved in RT-DVS algorithms evaluation are modeled as stochastic timed automata and implemented in statistical model checker UPPAAL-SMC. There are four evaluation metrics in their approach, namely, the utilization bound, energy efficiency, battery awareness, and temperature awareness. This is the prepositive study of our approach, which evaluates the power management schemes without considering system reliability.
Statistical model checking is powerful approach that has been widely used in verification and analysis of various systems. In [15], Zhou et al. proposed to verify the underlying consistency with the specification for service oriented systems using UPPAAL-SMC. In [16], Boudjadar et al. proposed to utilize UPPAAL-SMC for schedulability analysis of hierarchical scheduling systems. In [17], Nouri et al. presented SBIP, an extension of BIP for stochastic systems, and proposed a statistical model checking approach to verify the systems described by SBIP. In [18], Zuliani reviewed recent work on the use of statistical model checking techniques for biological applications. In [19], Dal Corso et al. explored the usability of statistical routing protocols under the possibly lossy communication techniques for biological applications. In [19], Dal Corso et al. presented SBIP, an extension of BIP for stochastic analysis of hierarchical scheduling systems. In [17], Nouri et al. proposed UPPAAL-SMC to compare two ad hoc routing protocols under the possibly lossy communication scenario. In [20], Grosu et al. explored the usability of statistical model checking for measuring quantitative properties of systems. In [21], Legay and Viswanathan reviewed the existing results on statistical model checking and discussed its research direction.

8. Conclusion and Future Work

Energy saving and high reliability are two major concerns in hard real time systems. Many RT-DVS algorithms have been proposed to achieve energy saving while guaranteeing the time constraint. However, these reliability-ignorant power management schemes will increase the probability of failure. Reliability-aware power management schemes are proposed to achieve energy saving and preserve reliability at the same time.

In this paper, we proposed to compare the reliability-ignorant and reliability-aware power management for hard real time systems. We illustrated the applicability of statistical model checking for analysing reliability-aware power management schemes. We have compared the system reliability and normalized energy consumption under different power management schemes. Our methodology enables analysis of power management schemes under different configurations, without prototyping and measurement for each alternative. And the modeling and evaluating procedure can be applied to analyse other energy management schemes in practical application.

Our results show that the most impacting factors of system reliability are system workload and task number, and system workload is the key factor of energy consumption. We have proposed some guidelines for the designers, so that they can decide which scheme is more suitable for a given application.

A suggestion for continuing this research area is to consider the job-level reliability-aware schemes. Another further work is to consider the task sets with precedence constraints.

Conflicts of Interest

The authors declare that there are no conflicts of interest regarding the publication of this paper.

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