

SOME USEFUL DESIGN PARAMETERS OF NON-UNIFORM INTEGRATED BAND-PASS FILTERS

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Important design parameters for a two-port three-terminal band-pass filter configuration of the integrated thin-film exponential distributed parameter R-C-KR microstructure are presented. The circuit exhibits load independent characteristics. The changes in the value of design parameters under varying loading conditions are given. Various plots illustrating the inter-relationship of the different parameters with each other that can serve as guidelines for a system designer to obtain a pre-assigned pattern of the performance characteristics of the microstructure are included.

1. INTRODUCTION

The paper presents a set of performance characteristics suitable for use as design curves for a two-port three terminal subnetwork configuration of the non-uniform distributed parameter (n.u.d.p) R-C-KR microsystem. The study is also extended to show the behaviour of the band-pass characteristics under varying loading conditions. The R-C-KR microstructure, which forms the mathematical model of a thin-film microsystem (Figure 1), consists of two thin-film resistors whose per-unit length (p.u.l) series impedances are $R = R_0 \exp(kx)$ and KR respectively, separated from each other by a dielectric film of p.u.l shunt capacitance $C = C_0 \exp(-kx)$, where the constants R_0 and C_0 are resistive and capacitive constant respectively, k is the exponential taper constant and K is the ratio of the resistivity of one layer to that of another layer. Here l is the length of the films (represented by distance variable x).

2. DISCUSSION

The open circuit and loaded voltage ratio transfer functions (T_{v0} and T_{v1}) of Figure 2 obtained from the four-terminal exponential R-C-KR microstructure, are given in terms of their matrix parameter functions (m.p.f's)¹ as:-

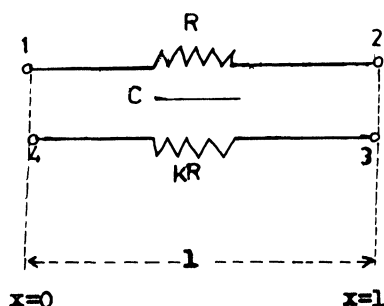


FIGURE 1 Symbolic representation of R-C-KR micro-structure.

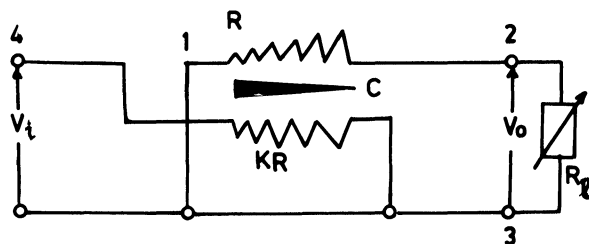


FIGURE 2 Subnetwork under analysis.

$$T_{vo} = \frac{y/W - (1+K)a}{(1+K)g + Ky/W}$$

$$T_{vl} = \frac{y/W - (1+K)a}{(1+K)g + Ky/W + (1+K)y/R_l}$$

where

$$g = m \cosh(ml) + k/2 \sinh(ml)$$

$$y = (1+K) R_o \sinh(ml) \exp(kl)$$

$$a = m \exp(0.5 kl)$$

and

$$R_L = R_o/R_l$$

where R_l is the value of the resistive loading.

Also

$$W = R_t = \int_0^1 R_o \exp(kx) = R_o \frac{e^{kl} - 1}{k}$$

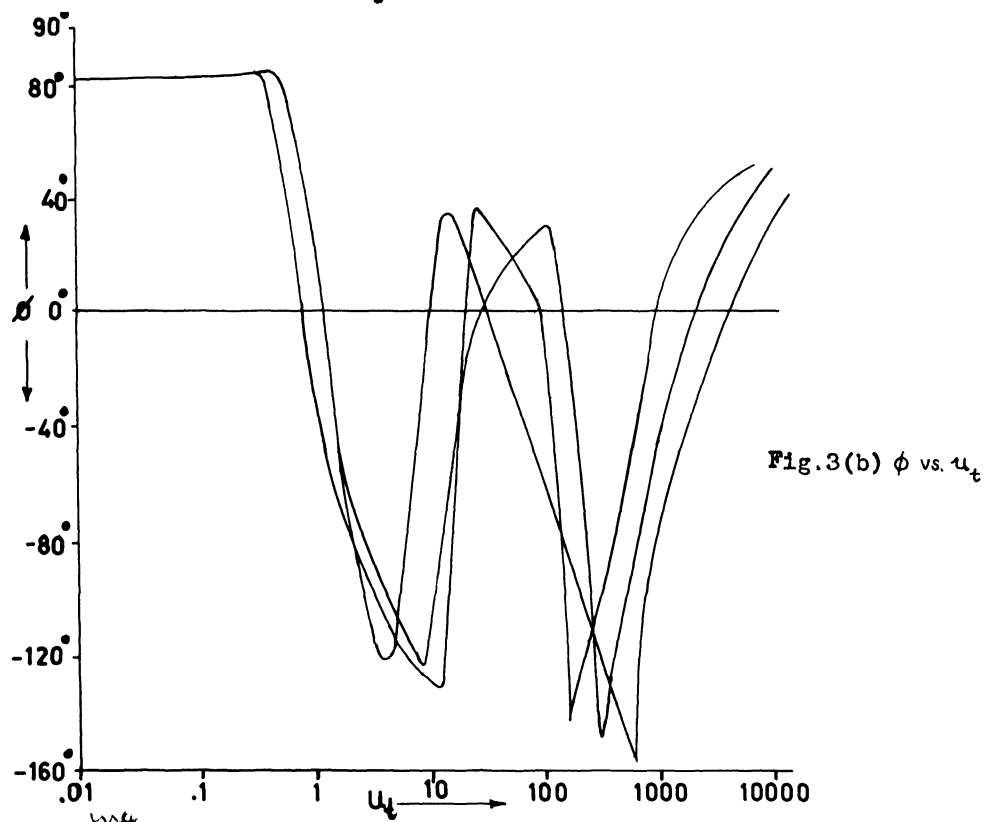
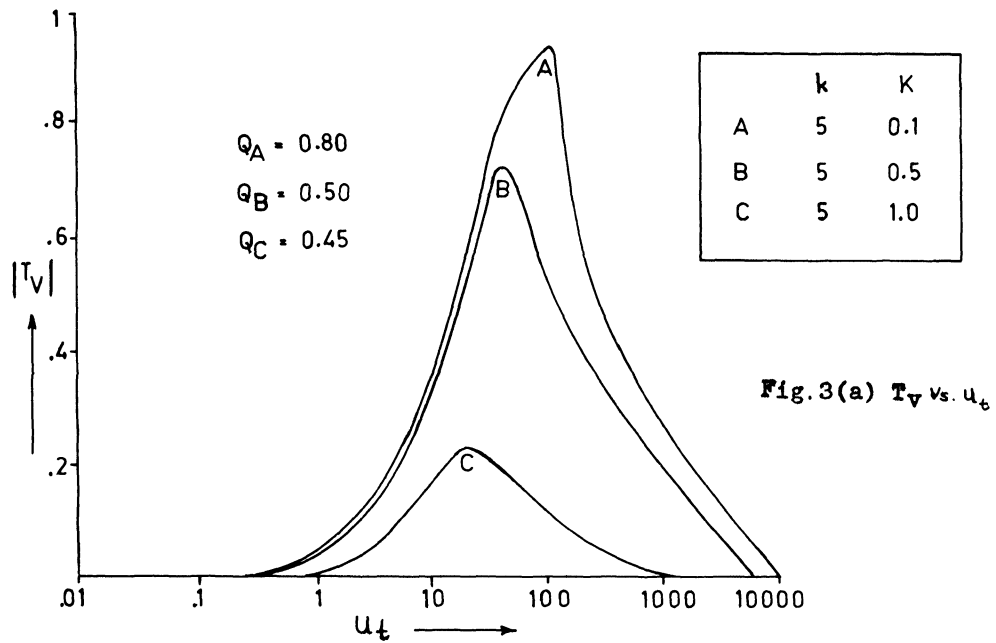
and

$$m = [(k/2)^2 + ju(1+K)]^{1/2} \text{ with } u = w R_o C_o$$

The normalised frequency u_t is given by:-

$$u_t = w R_t C_t \text{ where } C_t = \int_0^1 C_o \exp(-kx) = \frac{C_o}{k} (1 - e^{-kl})$$

Various design parameters of the above subnetwork have been computed for different combinations of l , k and K under varying loading conditions as shown in the following figures (Figs. 3 - 7).

FIGURE 3 Characteristics of the subnetwork without load for various values of k and K .

The results show that the pass-band may be shifted from a higher to a lower frequency region by increasing K . The centre frequency u_{c0} and bandwidth (b.w.) of the pass-band can be controlled according to the system designer's requirement by properly selecting the value of k and K as shown in Figure 3(a). The quality factor, Q , for both the loaded and unloaded configuration has been calculated and shown on the figures (Figures 3(a)

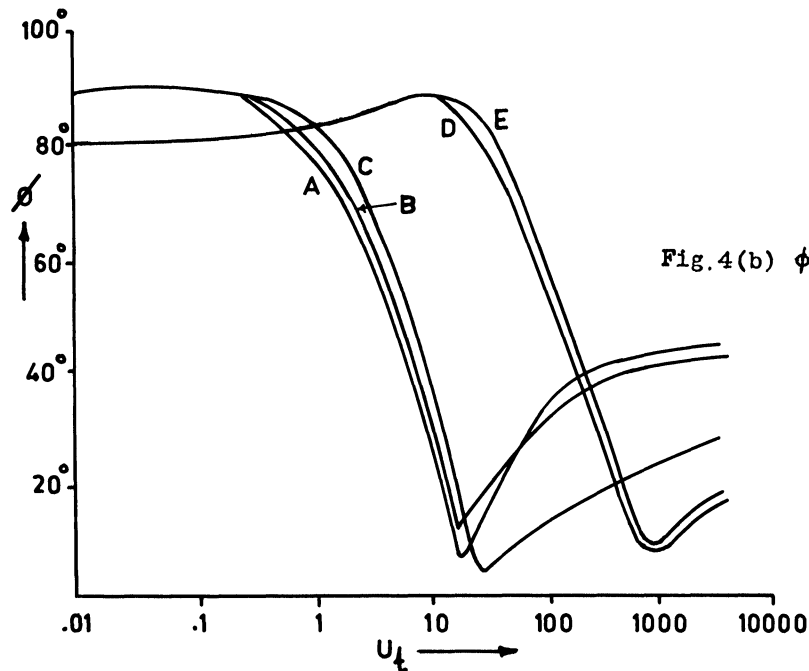
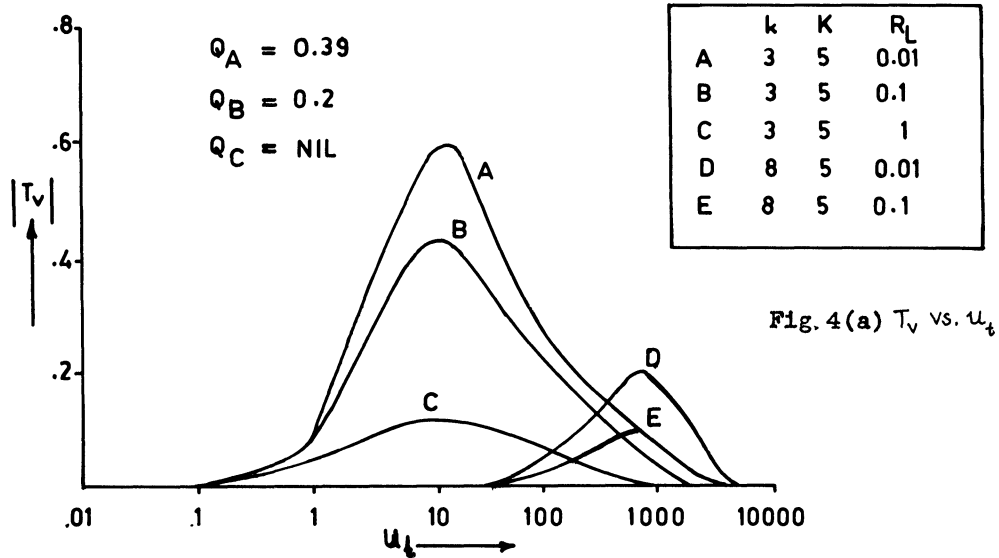


FIGURE 4 Characteristics of the subnetwork with load for various values of k , K and R_L .

and 4(a)). It is evident that the subnetwork without load gives a better Q for $k = 5.0$ and $K = 0.1$ as shown in Figure 3(a). Further it can be shown that the subnetwork gives a poor, almost negligible, characteristic for negative values of k . Figure 4 presents the design curves that show the effect of load on such a filter. It is observed that for given values of k and K and with varying load R_L , the pass-band remains the same. This means that the subnetwork is independent of load (which can be seen from Figure 6). The phase angle, ϕ , is minimum (in the vicinity of zero) for the centre frequency u_{c0} of the pass-band in both loaded and unloaded conditions (Figures 3(b) and 4(b)).

Figure 5 gives the variations in $|T_{v0}|$ and u_t versus K for $k = 8.0$ and $l = 1.0$. It is clear that there is a small increase in T_v as K decreases from 10 to 6, while $|T_v|$ increases rapidly for values of K , less than 2. Similarly the normalised frequency, u_t , increases rapidly from 500 to 1000 for $0.1 \leq K \leq 1$. The most important observation here is that there is a slow variation in the lower 3 db cut-off frequency, u_{c1} , for $0.1 \leq K \leq 1$.

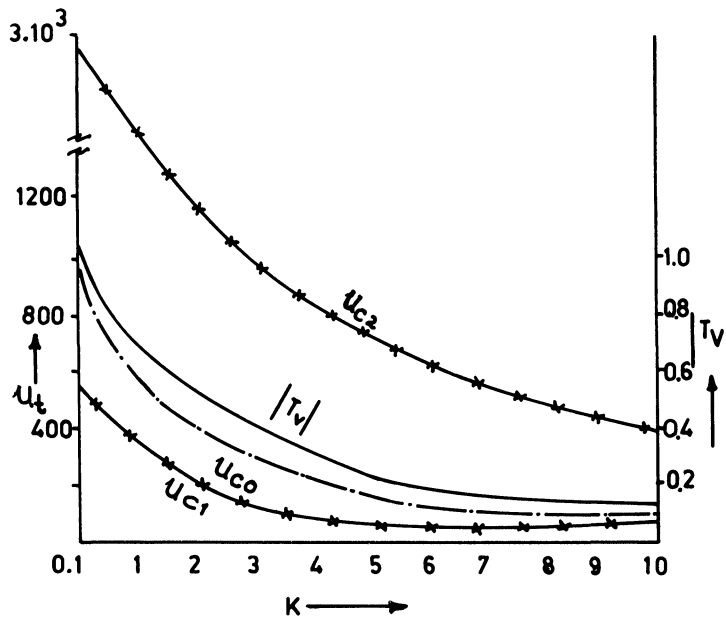


FIGURE 5 Variation of u_t and $|T_v|$ vs. K .

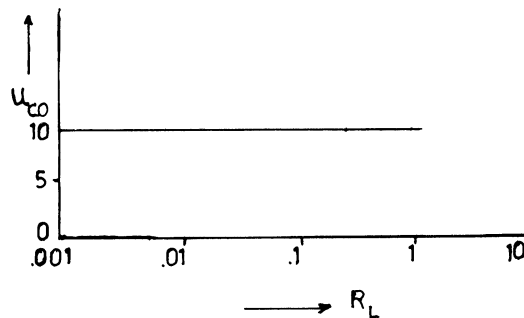


FIGURE 6 Variation of u_{c0} vs. R

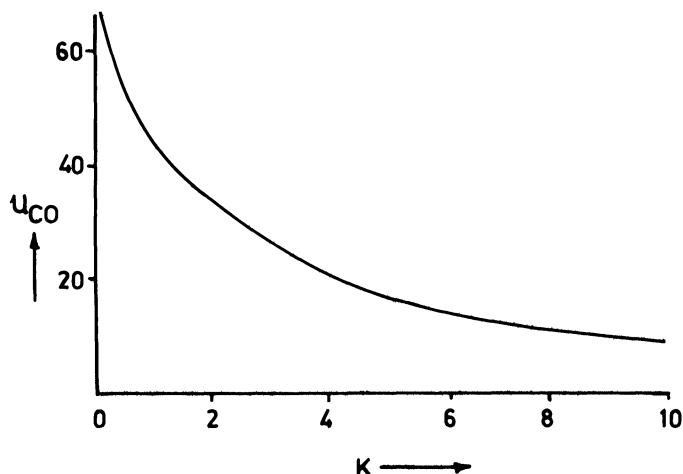


FIGURE 7 Variation of u_{c0} vs. K for $k = 4.0$.

However the upper 3 db cut-off frequency, u_{c2} , moves rapidly towards the higher frequency region for the same change in value of K . Variations of the centre frequency of the pass-band as a function of K for a given value of k are shown in Figure 7. It is found that there is a sharp variation in u_{c0} for $0.1 \leq K \leq 1$, while for higher K , it shows a smooth variation.

These design data are equally applicable to other subnetworks of similar transfer functions in the C-R-KC microsystem.² Another subnetwork of similar characteristics has already been reported.³ Important design parameters of the same subnetwork in a uniform configuration are to be reported shortly.

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