## **CORRIGENDUM**

## MACKEY CONVERGENCE AND QUASI-SEQUENTIALLY WEBBED SPACES

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The following were not discovered in time to correct before the publication of the above named paper [Int. Jour. Math. & Math. Sci., 14, no.1, 1991, pp. 17-26]

- 1. Definition 3.3, page 21 is incorrectly stated. It should read: A Hausdorff locally convex space E is <u>locally Baire</u> if for each bounded subset  $A \subset E$  there is a bounded disk  $B \subset E$  such that  $A \subset B$  and  $E_B$  is a Baire space.
- 2. The proof of the  $(b) \rightarrow (c)$  part of Theorem 3.4, page 23 is in error. The following is the correct proof:

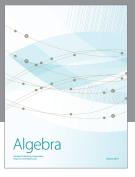
Let  $x_n \to 0$  in E. Then  $x_n \to 0$  in  $E_K$  for some compact disk  $K \subset E$ . If A denotes the  $E_K$ -closure of  $convbal(x_n:n \in \mathbb{N})$ , and B is the E-closure of  $convbal(x_n:n \in \mathbb{N})$ , then we have that A is compact in  $E_K$  and  $id:E_K \to E$  is continuous, making A compact in E. Clearly,  $convbal(x_n:n \in \mathbb{N}) \subset A$ , so  $B \subset A$ ; hence, B is compact in E, and  $B \subset A$ . In page 153 of Pérez-Carreras and Bonet (reference [9] in the paper) applies.

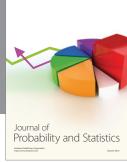
The author apologizes for these errors and any confusion they may have caused.

















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