

Retraction

Retracted: Automatic Intelligent Control System Based on Intelligent Control Algorithm

Journal of Electrical and Computer Engineering

Received 23 January 2024; Accepted 23 January 2024; Published 24 January 2024

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This article has been retracted by Hindawi following an investigation undertaken by the publisher [1]. This investigation has uncovered evidence of one or more of the following indicators of systematic manipulation of the publication process:

- (1) Discrepancies in scope
- (2) Discrepancies in the description of the research reported
- (3) Discrepancies between the availability of data and the research described
- (4) Inappropriate citations
- (5) Incoherent, meaningless and/or irrelevant content included in the article
- (6) Manipulated or compromised peer review

The presence of these indicators undermines our confidence in the integrity of the article's content and we cannot, therefore, vouch for its reliability. Please note that this notice is intended solely to alert readers that the content of this article is unreliable. We have not investigated whether authors were aware of or involved in the systematic manipulation of the publication process.

Wiley and Hindawi regrets that the usual quality checks did not identify these issues before publication and have since put additional measures in place to safeguard research integrity.

We wish to credit our own Research Integrity and Research Publishing teams and anonymous and named external researchers and research integrity experts for contributing to this investigation.

The corresponding author, as the representative of all authors, has been given the opportunity to register their agreement or disagreement to this retraction. We have kept a record of any response received.

References

- [1] Z. Huang, "Automatic Intelligent Control System Based on Intelligent Control Algorithm," *Journal of Electrical and Computer Engineering*, vol. 2022, Article ID 3594256, 10 pages, 2022.

Research Article

Automatic Intelligent Control System Based on Intelligent Control Algorithm

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Received 26 February 2022; Revised 18 March 2022; Accepted 28 March 2022; Published 21 April 2022

Academic Editor: Xuefeng Shao

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In order to improve the effect of automatic intelligent control, this paper improves the intelligent vector control algorithm, analyzes the performance of the algorithm with common power pulses as an example, and obtains an improved intelligent vector control algorithm suitable for modern intelligent systems. By making two mutually adjacent vectors nonidentical combination in time, the two vectors have the difference between zero and nonzero, and the vector can be rotated into a certain area. In addition, with the support of improved algorithms, this paper gets an automated intelligent control system based on intelligent control algorithms. Finally, this paper verifies the effect of the intelligent control system through experimental research. The analysis of the test results shows that the automated intelligent control system proposed in this paper has a better effect in intelligent control.

1. Introduction

Traditional control theory is the general term of classic control theory and modern control theory. Their main feature is model-based control. Traditional control uses inaccurate models and certain fixed control algorithms to place the entire control system under the model framework, which lacks flexibility and adaptability, so it is difficult to be competent for the control of complex systems. The core of intelligent control is control decision-making, which uses flexible decision-making methods to force the control system to approach the desired goal [1]. Traditional control is suitable for solving relatively simple control problems such as being linear and time-invariant. These problems can also be solved with intelligent methods. Intelligent control is the development of traditional control theory, and traditional control and intelligent control can be unified under the framework of intelligent control [2]. The generation of intelligent control comes from the high complexity and uncertainty of the controlled object and the increasingly high control performance that people demand. It is a type of automatic control that can independently drive intelligent machines to achieve their goals without human intervention. In addition, its creation and development require a high

degree of integration and utilization of contemporary multiple frontier disciplines, multiple advanced technologies, and multiple scientific methods [3].

The intelligent behavior in the intelligent control system is essentially a mapping relationship from input to output. When the input of the system is not an example that has been learned, it can give a suitable output because of its adaptive function. Even when some parts of the system fail, the system can work normally. If the system has a higher degree of intelligence, it can also automatically find faults and even have the function of self-repair, thus reflecting stronger adaptability.

It has the function of self-organization and coordination for complex tasks and scattered sensor information. The intelligent controller can make decisions on its own and take actions proactively within the scope of the task requirements; and when there is a multitarget conflict, the controller has the right to make judgments on its own under certain restrictions. The intelligent control system can learn the inherent information of the unknown characteristics of a process or its environment and use the obtained experience for further estimation, classification, decision-making, or control, so as to improve the performance of the system. That is, it has the ability to learn and acquire new knowledge about the object and environment during operation and use

the new knowledge to improve control behavior. The third feature of intelligent control is that it can comprehensively cross various technologies, making the design of intelligent control systems and intelligent controllers increasingly diversified, and the application scope of intelligent control technology is becoming more and more extensive. It is difficult for simple technology to achieve intelligent simulation, and the combination of multiple technologies is conducive to intelligent simulation; the simple control method makes the system lack intelligence, and the control of integrated adaptive, self-organization, (self)learning, and other technologies can improve the intelligence of the system control. The fourth characteristic of intelligent control is that it can describe the stability of the system, the controllability and observability of the system, and the optimal control of the system (that is, the description of the entropy function and the energy function) like the traditional control theory which analyzes the dynamic characteristics of the system, system complexity, etc. The fifth characteristic of intelligent control is that it is robust and of real time, is insensitive to environmental interference and uncertain factors, can respond to highly abstract discrete symbol commands, and has online real-time response capabilities.

This paper combines the intelligent control algorithm to study the automated intelligent control system, builds the intelligent control system model according to the current more advanced algorithm model, and verifies the system function through experimental research.

2. Related Work

With the rapid development of artificial intelligence and big data technology, related multiagent technology has also been applied in many fields in recent years. Because multiagent technology has the characteristics of reasoning, cooperation, and self-healing, it creates the possibility to solve the problem of complex and dynamic scheduling system. Literature [4] conducted the research on agent-based distributed dynamic job shop scheduling and proposed a multiagent distributed dynamic job shop scheduling scheme based on contract network protocol bidding mechanism; literature [5] analyzed agent-based technology distributed job shop scheduling structure, proposes the concept of autonomous scheduling execution, and provides an autonomous scheduling execution algorithm based on disturbance analysis, so that the scheduling execution agent can autonomously make rapid and optimal decisions on system disturbances. Literature [6] proposes to use multiagent negotiation to solve the problem of intelligent transfer conflicts and finally designs a kind of information that can solve the problem of virtual enterprise transfer conflicts through rational and efficient use of the agent's scheduling, collaboration, and intelligence characteristics. Integrated system: Literature [7] studied the agile production line scheduling based on multiagent, combined with the latest theoretical results of many technologies in the field of computer and artificial intelligence, applied multiagent technology to the solution field of agile production line scheduling, and solved the actual production scheduling

problem, providing useful exploration. Literature [8] studied the dynamic scheduling method of automatic surface treatment production line based on multiagent, established an architecture model based on multiagent, and abstracted the complex surface treatment automatic production line workshop scheduling problem into management, processing, and workpiece, transports four kinds of agents, focuses on the analysis of the communication and negotiation mechanism between these four agents, studies a tender-bid mechanism based on the contract network, and optimizes scheduling through comprehensive indicators. Literature [9] uses a combination of multiagent model and cellular automation model to construct a city dynamic model using geographic information system technology and takes the actual city as an empirical object, which proves that the model has a high degree of credibility. Literature [10] uses bionics to summarize the structural and functional similarities between the ship formation and the biological immune system and combines the multiagent theory with the biological immune system and proposes a new immune multiagent network (IMAN) model and applied it to the cooperative air defense system of the fleet. Literature [11] established a distributed and coordinated multiagent system and applied it to the coordination and optimization of the power system. The system includes multiple power supply agents and management coordination agents. Finally, the system is verified by simulation experiments. The feasibility: Literature [12] uses multiagent theory to establish a production scheduling system, simulates the production scheduling system according to actual production conditions, and obtains the optimal production scheduling plan, which reduces production costs and improves production efficiency. It is useful for the formulation of production scheduling plans. Certain reference value: Literature [13] studied the adaptive conditions of distributed structure, centralized structure, and decentralized structure under certain interactive equipment and data resources and further explored distributed collaborative solving and centralized collaborative solving problems. Literature [14] explored the control problem of the agent network with a fixed topology and finally proved through simulation experiments that the method based on the consensus protocol can be successfully applied to the multiagent formation control, and the effect is better. Literature [15] studied the dynamic scheduling strategy of multiagent production line based on MDP. Aiming at the dynamic task allocation problem of workshop production line, based on Markov decision process theory, a dynamic task scheduling mathematical model of multiagent production line was established. Literature [16] carried out modeling, optimization, and simulation research on the production line based on multiagent, built the model through Simulink/Stateflow simulation tool and conducted experimental research, and proposed related control strategies according to the actual production situation. The communication program is written by VC language, and the distributed simulation of the multiagent system is completed. Finally, through statistics and analysis of simulation data, the production line optimization strategy is verified.

3. Vector Control Based on Intelligent Control Algorithm

When researching the multimodal control algorithm, it is necessary to use the MATLAB/Simulink platform to build the simulation model of this variable structure AC servo pressurization system. If we want to build a physical model of an AC motor, we should understand its characteristics. One is a nonlinear system, the other is a strongly coupled system, and the third is a high-order system, all of which are multivariable. These characteristics indicate that it should be expressed by nonlinear formulas, which is very inconvenient when controlling such systems. The main reason for the complexity of the AC motor model is the coupling between the magnetic flux and the magnetic field. If the motor model is decomposed into a model controlled separately by torque and flux linkage, then it can be simulated as a DC motor control model to control a non-DC motor. Vector control can achieve the abovementioned control effect.

The principle of vector control is to measure the stator current vector of the motor and to decompose the stator current through the basic principle of the magnetic field, so as to realize the control of the motor. The specific method is to decompose the current vector into the torque current and the excitation current and then control them. The control here refers to controlling the amplitude and phase of the current component of the magnetic field and the torque current component. This control method is a vector control method. Therefore, the vector control strategy is introduced to the simulation of the motor when doing the optimization algorithm part this time. Coordinate transformation is a very critical link in vector control technology. Only by transforming its coordinates can the motor torque and flux linkage be decoupled.

Coordinate transformation is the core step of AC motor vector control and an important mathematical method to simplify the complex physical model of the motor. The purpose of coordinate transformation is to transform the physical model of an AC motor into a model similar to a DC motor. The AC motor model after coordinate transformation is more convenient for analysis and control.

The essence of coordinate transformation is to replace the original variables in the formula with a set of new variables obtained after transformation. It is based on the principle of generating the same rotating magnetomotive force. The variable in the three-phase stator coordinate system is equivalent to the variable $\alpha\beta0$ in the two-phase stationary coordinate system through Clarke transformation, which is equivalent to the alternating currents i_α and i_β . Through the Park transformation, the variable $\alpha\beta0$ in the two-phase stationary coordinate system can be equivalent to the variable $dq0$ in the two-phase rotating coordinate system, which is equivalent to the DC currents i_d and i_q . The variable ABC in the three-phase stator coordinate system, the variable $\alpha\beta0$ in the two-phase static coordinate system, and the variable $dq0$ in the two-phase rotating coordinate system are three commonly used coordinate systems in the vector control of AC motors.

According to the above equivalent relationship, the structure diagram shown in Figure 1 can be obtained. It can be seen from Figure 1 that the vector control input is three-phase power A, B, and C. To obtain a DC motor, which is input by i_d and i_q and output by ω , it is necessary to perform Park conversion and Clarke conversion according to the oriented rotor flux [17].

3.1. Clarke Transformation (3S/2S Transformation). There are two types of Clarke transformation: equal-amplitude vector transformation and equal-power vector transformation. If equal-amplitude vector transformation is used, compensation needs to be added in the later Park transformation. Therefore, the Clarke transformation used this time is an equal-power transformation method. The following two points must be done in the constant power coordinate transformation:

- (a) The effect of the magnetic field generated by the current before and after the coordinate transformation remains unchanged.
- (b) The power of the motor before and after the coordinate transformation remains at the original value.

The vector u and current i in the original coordinates are transformed into u' and current i' in the new coordinates. Since we want them to have the same transformation matrix C , then [18]

$$\begin{aligned} u &= Cu', \\ i &= Ci'. \end{aligned} \quad (1)$$

In order to realize the inverse transformation, the transformation matrix C must have an inverse matrix C^{-1} , so the transformation matrix C must be a square matrix, and the value of its determinant must not be equal to zero. Because $u = zi$, z is the impedance matrix,

$$\begin{aligned} u' &= C^{-1}u \\ &= C^{-1}zi \\ &= C^{-1}zCi' \\ &= z'i'. \end{aligned} \quad (2)$$

In the above formula, the changed impedance matrix is represented by z' , which can be expressed as

$$z' = C^{-1}zC. \quad (3)$$

In order to follow the principle of constant power consumption, the electrical power consumption $i^T u = u_1 i_1 + u_2 i_2 + \dots + u_n i_n$ under one coordinate is equal to the electrical power consumption $i'^T u' = u'_1 i'_1 + u'_2 i'_2 + \dots + u'_{n'} i'_{n'}$ under the other coordinate, namely [19]:

$$i^T u = i'^T u', \quad (4)$$

$$i^T u = (Ci')^T Cu' = i'^T C^T Cu'. \quad (5)$$

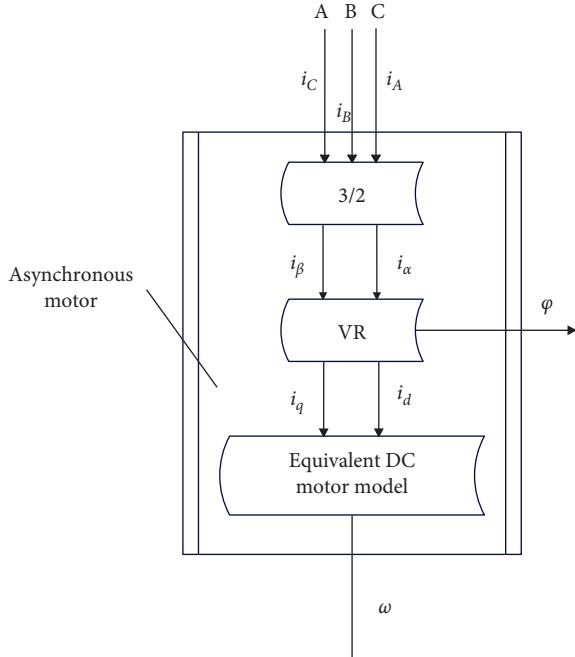


FIGURE 1: Coordinate transformation structure diagram of motor.

In order to make formula (4) the same as formula (5), the transformation matrix c should be an orthogonal matrix.

In the above formula, C^{-1} is the inverse matrix of C ; i^T is the transposed matrix of i ; i'^T is the transposed matrix of i' ; C^T is the transposed matrix of C ; I is the identity matrix; Z and Z' are impedance matrices, respectively; u , u' , i , i' are the vector and current column and row matrix, respectively. At the same time, according to the matrix algorithm, there are $C^{-1}C = I$; $(Ci')^T = i'^T CT$; $(KC)^T = KC^T$; $u = Cu'$, and $u' = C^{-1}u$.

Figure 2 is the relative positional relationship of the magnetic potential vector. The magnetic potential vectors are the magnetic potential vectors of the nonrotor three-phase motor windings A , B , and C and the magnetic potential vectors of the two-phase motor windings α and β , respectively. The A axis coincides with the α axis. It can be known from the vector coordinate transformation principle that the two are completely equal magnetic fields; that is, the resultant magnetic potential vector has equal components on the two position and space axes.

Therefore, there are

$$\begin{aligned} N_2 &= N_3 i_A + N_3 i_B \cos 120^\circ + N_3 i_C \cos(-120^\circ), \\ N_2 i_\beta &= 0 + N_3 i_B \sin 120^\circ + N_3 i_C \sin(-120^\circ). \end{aligned} \quad (6)$$

That is:

$$i_\alpha = \frac{N_3}{N_2} \left[i_A - \frac{1}{2} i_B - \frac{1}{2} i_C \right], \quad (7)$$

$$i_\beta = \frac{N_3}{N_2} \left[0 + \frac{\sqrt{3}}{2} i_B - \frac{\sqrt{3}}{2} i_C \right]. \quad (8)$$

In the formula, N_2 and N_3 , respectively, represent the effective number of turns of each phase of the stator of a

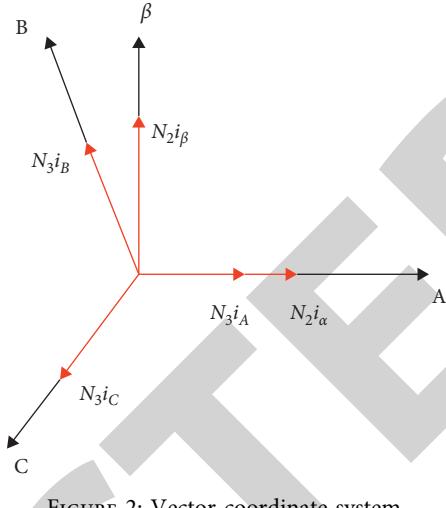


FIGURE 2: Vector coordinate system.

three-phase motor and a two-phase motor. Formulas (7) and (8) are expressed by matrix, namely:

$$\begin{bmatrix} i_\alpha \\ i_\beta \end{bmatrix} = \frac{N_3}{N_2} \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \end{bmatrix} \begin{bmatrix} i_A \\ i_B \\ i_C \end{bmatrix}. \quad (9)$$

The transformation matrix $\begin{bmatrix} 1 & -1/2 & -1/2 \\ 0 & \sqrt{3}/2 & -\sqrt{3}/2 \end{bmatrix}$ cannot be changed inversely, because it is a nonsquare matrix. To this end, it is necessary to introduce the zero-axis current, that is, an unrestricted nonoriginal variable i_0 of i_α and i_β . In the formed $\alpha - \beta - 0$ -axis coordinate system, the zero axis is perpendicular to the α and β axes at the same time. We define

$$N_2 i_0 = k(N_3 i_A + N_3 i_B + N_3 i_C), \quad (10)$$

$$i_0 = \frac{N_3}{N_2} k(i_A + i_B + i_C). \quad (11)$$

In the formula, k is the undetermined coefficient. Therefore, formula (10) is rewritten as

$$\begin{bmatrix} i_\alpha \\ i_\beta \\ i_0 \end{bmatrix} = \frac{N_3}{N_2} \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ k & k & k \end{bmatrix} \begin{bmatrix} i_A \\ i_B \\ i_C \end{bmatrix}. \quad (12)$$

In the formula, the matrix C is defined as

$$C = \frac{N_3}{N_2} \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ k & k & k \end{bmatrix}. \quad (13)$$

The transpose matrix C^T of C is

$$C^T = \frac{N_3}{N_2} \begin{bmatrix} 1 & 0 & k \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} & k \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} & k \end{bmatrix}. \quad (14)$$

The inverse matrix C^{-1} of C is

$$C^{-1} = \frac{2N_2}{3N_3} \begin{bmatrix} 1 & 0 & \frac{1}{2k} \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} & \frac{1}{2k} \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} & \frac{1}{2k} \end{bmatrix}. \quad (15)$$

In order to comply with the principle of constant power conversion, $C^T = C^{-1}$ is known. That is, the above formula (14) is equal to the formula (15); then:

$$\frac{2N_2}{3N_3} = \frac{N_3}{N_2}; \frac{1}{2k} = k. \quad (16)$$

We can obtain separately

$$\begin{aligned} \frac{N_3}{N_2} &= \sqrt{\frac{2}{3}}, \\ k &= \sqrt{\frac{1}{2}}. \end{aligned} \quad (17)$$

By substituting formula (17) into formula (13) and formula (15), then

$$\begin{aligned} C &= \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{bmatrix}, \\ C^{-1} &= \sqrt{\frac{2}{3}} \begin{bmatrix} 1 & 0 & \frac{1}{\sqrt{2}} \\ -\frac{1}{2} & \frac{\sqrt{3}}{2} & \frac{1}{\sqrt{2}} \\ -\frac{1}{2} & -\frac{\sqrt{3}}{2} & \frac{1}{\sqrt{2}} \end{bmatrix}. \end{aligned} \quad (18)$$

Therefore, the Clarke transformation (or 2/3 transformation) formula is

$$\begin{bmatrix} i_\alpha \\ i_\beta \\ i_0 \end{bmatrix} = C \begin{bmatrix} i_A \\ i_B \\ i_C \end{bmatrix} = \sqrt{\frac{2}{3}} \begin{bmatrix} 1 & -\frac{1}{2} & -\frac{1}{2} \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \\ \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} & \frac{1}{\sqrt{2}} \end{bmatrix} \begin{bmatrix} i_A \\ i_B \\ i_C \end{bmatrix}. \quad (19)$$

3.2. Park Transformation (2s/2r Transformation). Generally speaking, the 2s/2r conversion refers to the conversion between the two-phase nondynamic coordinate system and the two-phase rotating coordinate system. To obtain the rotating magnetomotive force, two-phase non-dynamic winding is required, and two-phase balanced nondirect current is added to it. If the two-phase windings whose rotational angular velocity is equal to the rotational angular velocity of the synthesized magnetomotive force are turned, then the space-rotating magnetomotive force is generated in the two-phase winding with nonalternating current.

Figure 3 shows the Park transformation relationship diagram, and the Park transformation is derived from Clark transformation as

$$\begin{cases} u_d \cos \alpha + u_q \sin \alpha = u_\alpha, \\ u_d \sin \alpha - u_q \cos \alpha = u_\beta, \end{cases} \quad (20)$$

$$\begin{pmatrix} u_\alpha \\ u_\beta \end{pmatrix} = \begin{pmatrix} \cos \alpha & \sin \alpha \\ \sin \alpha & -\cos \alpha \end{pmatrix} \begin{pmatrix} u_d \\ u_q \end{pmatrix}. \quad (21)$$

From formula (20), we can get

$$\begin{cases} u_d \cos^2 \alpha + u_q \sin \alpha \cos \alpha = u_\alpha \cos \alpha, \\ u_d \sin^2 \alpha + u_q \sin \alpha \cos \alpha = u_\beta \sin \alpha. \end{cases} \quad (22)$$

By adding the two types, there are

$$\begin{cases} u_d = u_\alpha \cos \alpha + u_\beta \sin \alpha, \\ u_d \cos \alpha \sin \alpha + u_q \sin^2 \alpha = u_\alpha \sin \alpha, \\ u_d \cos \alpha \sin \alpha - u_q \cos^2 \alpha = u_\beta \cos \alpha. \end{cases} \quad (23)$$

By adding the two formulas, we get

$$u_q = u_\beta \cos \alpha - u_\alpha \sin \alpha, \quad (24)$$

and we get

$$\begin{pmatrix} u_d \\ u_q \end{pmatrix} = \begin{pmatrix} \cos \alpha & \sin \alpha \\ -\sin \alpha & \cos \alpha \end{pmatrix} \begin{pmatrix} u_\alpha \\ u_\beta \end{pmatrix}, \quad (25)$$

$$\begin{pmatrix} i_{sm} \\ i_{st} \end{pmatrix} = \begin{pmatrix} \cos \alpha & \sin \alpha \\ -\sin \alpha & \cos \alpha \end{pmatrix} \begin{pmatrix} i_{sa} \\ i_{sb} \end{pmatrix}.$$

Park is inversely transformed into the inverse matrix of matrix (29):

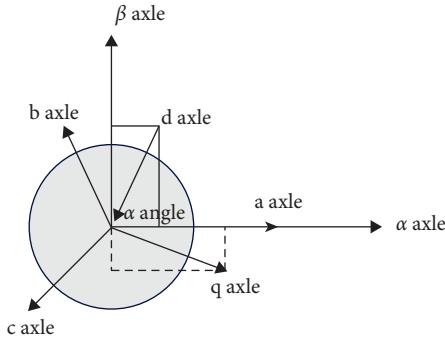


FIGURE 3: Park transformation relationship diagram.

$$C_{\text{park}}^{-1} = \begin{pmatrix} \cos \alpha & -\sin \alpha \\ \sin \alpha & \cos \alpha \end{pmatrix}. \quad (26)$$

The function of space vector pulse width modulation (SVPWM) is to make the output waveform closer to a sine waveform. The specific method is as follows: a three-phase power inverter is composed of six power switching elements, and the switching mode is appropriately switched to control the generation of a pulse width modulated wave. Compared with the traditional pulse width modulation technology, it has the advantages of reducing the motor torque pulsation to a certain extent, and the rotation trajectory is closer to the circular flux trajectory.

The space vector pulse width modulation technology uses the principle of average equivalent utility as the basis of theoretical analysis; that is, by combining the basic vector vectors in a single open and closed cycle, the average vector is equal to the given vector. At a certain moment, by making two mutually adjacent vectors carry out a nonidentical combination in time, the two vectors have a difference between zero and nonzero, and the vector can be rotated into a certain area. In order to obtain the PWM waveform, the action time of the two vectors can be added multiple times, and the timing of the addition is within a complete sampling time period. In this way, the action time of each vector can be controlled, and a space vector rotating according to a circular trajectory can be obtained. The actual magnetic flux close to the ideal magnetic flux circle is generated by changing the open and closed state of the inverter, and then the switching state of the inverter is determined by the comparison result of the two. Figure 4 shows the inverter circuit.

U_{dc} is the non-AC bus side vector, and the three-phase vectors output by the inverter are U_A , U_B , and U_C , respectively, which form an arrangement of 120° on each other in space, and the coordinate system is a three-phase plane nondynamic coordinate system. Three nonplanar vectors $U_A(t)$, $U_B(t)$, and $n U_C(t)$ can be defined. The directions of the three are always on the reference line of each phase, and the magnitude is changed with time according to the sine law, and the time phase differs by 120° . If it is assumed that the effective value of the phase vector is U_m and the power supply frequency is f , then the formula can be obtained:

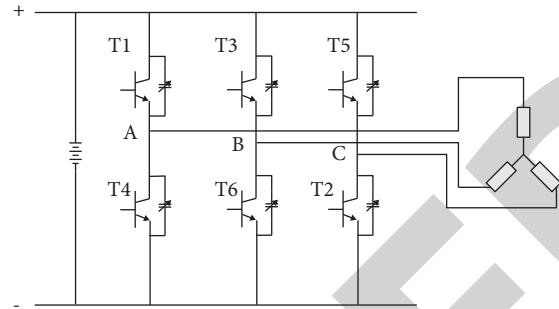


FIGURE 4: Inverter circuit.

$$\left\{ \begin{array}{l} U_A(t) = U_m \cos(\theta), \\ U_B(t) = U_m \cos\left(\frac{\theta - 2\pi}{3}\right), \\ U_C(t) = U_m \cos\left(\frac{\theta + 2\pi}{3}\right). \end{array} \right. \quad (27)$$

In the formula, $\theta = 2\pi f t$; then the resultant space vector $U(t)$ added by the three-phase vector space vector can be expressed as

$$U(t) = U_A(t) + U_B(t)e^{j2\pi/3} + U_C(t)e^{j4\pi/3} = \frac{3}{2}U_m e^{j\theta}. \quad (28)$$

According to the above, $U(t)$ is a rotating space vector whose amplitude is 1.5 times the peak value of the phase vector, and U_m is the peak value of the phase vector, and the space vector rotates at an angular frequency $\omega = 2\pi f$ in the counterclockwise direction at a uniform speed. The projection of the space vector $U(t)$ on the three-phase coordinate axis (a, b, c) is the symmetrical three-phase sine. Since the inverter's three-phase bridge arm is composed of 6 opening and closing tubes, in order to explore the space vector output by the inverter when the upper and lower arms of each phase are opened and closed in different combinations, the opening and closing expression $S_\chi (\chi = a, b, c)$ is specifically described as

$$S_\chi = \begin{cases} 1, & \text{Upper bridge arm conduction,} \\ 0, & \text{Lower bridge arm conduction.} \end{cases} \quad (29)$$

There are eight possible combinations of (S_a, S_b, S_c) , including 6 nonzero vectors $U_1(001), U_2(010), U_3(011), U_4(100), U_5(101), U_6(110)$ and two zero vectors $U_0(000)$ and $U_7(111)$.

The magnitude modulus of a nonzero vector is $2U_{dc}/3$, the distance between two adjacent vectors is 60° , and the magnitude of the two zero vectors at the center of the sector is zero. The components of any vector in each sector are taken from the two vectors and the zero vector that are adjacent to each other in each sector. The resultant vector is

$$\int_0^T U_{\text{ref}} dt = \int_0^{T_x} U_x dt + \int_{T_x}^{T_x+T_y} U_y dt + \int_{T_x+T_y}^T U_0^* dt. \quad (30)$$

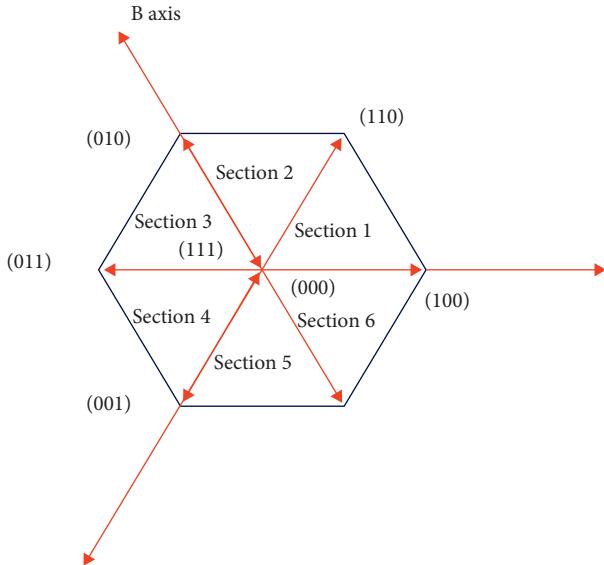


FIGURE 5: Vector pie chart.

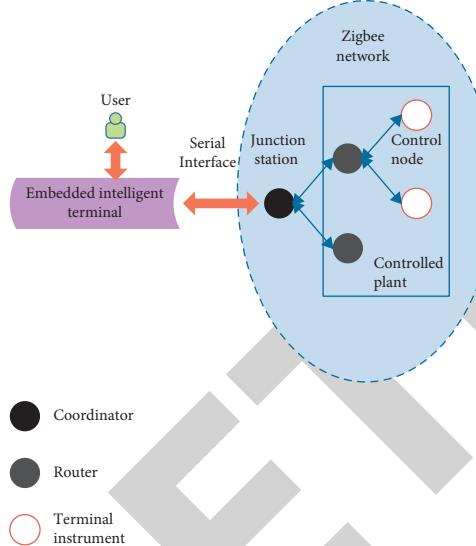


FIGURE 6: The overall architecture of the intelligent control system.

Among them, U_{ref} is the expected vector; T is the sampling time; T_x , T_y , and T_0 , respectively, correspond to the action time of the two nonzero vectors U_x , U_y and the zero vector U_0 in one cycle. Among them, U_0 includes two zero vectors, U_0 and U_7 . The meaning of formula (30) is that the sum of integral effect produced by vector U_{ref} in time T is the same as the sum of integral effects produced by values U_x , U_y , and U_0 in times T_x , T_y , and T_0 , respectively.

The equivalent rotation vector is usually a combination of a three-phase sine wave vector in a vector space vector. The input power angle frequency is its rotation speed, and its trajectory is shown in Figure 5.

Using the abovementioned vector synthesis technique, a three-phase sine wave vector can be obtained. The acquisition method is to use the set vector to start from position U_4 (100) on the vector space vector and use the two adjacent

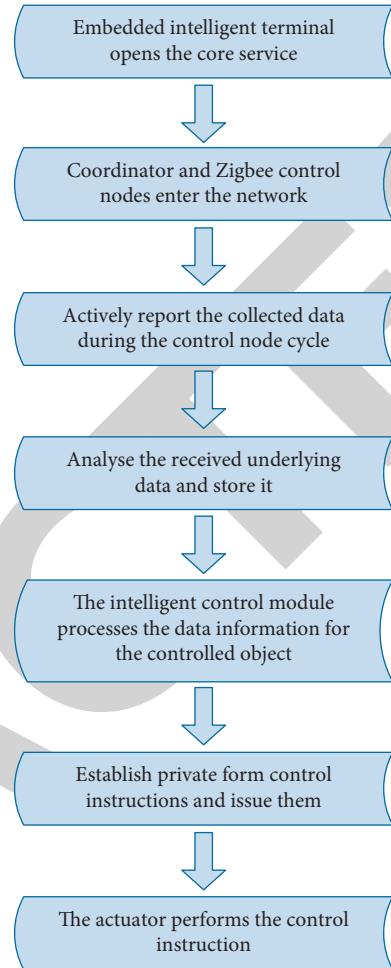


FIGURE 7: The control flow of the intelligent control system.

nonzero vectors and zero vector in the area to synthesize the vector as a small increase. The tentative vector obtained by a small increase each time is equivalent to a vector space vector, and the vector space vector plane can be used for smooth rotation of the vector to achieve the purpose of pulse width modulation of the vector.

4. Automatic Intelligent Control System Based on Intelligent Control Algorithm

The overall architecture design is the first step to complete the design and realization of the intelligent control system. It points out the working principle and control flow of the entire system. The software and hardware platforms implemented by the system determine the functional characteristics of the system, and the design of the communication protocol specifies all the data formats in the system. The system is mainly composed of an embedded intelligent terminal and a wireless sensor network. The controlled object is placed within the coverage of the wireless sensor network, and the embedded intelligent terminal communicates with the wireless sensor network through a serial port. The overall system architecture is shown in Figure 6.

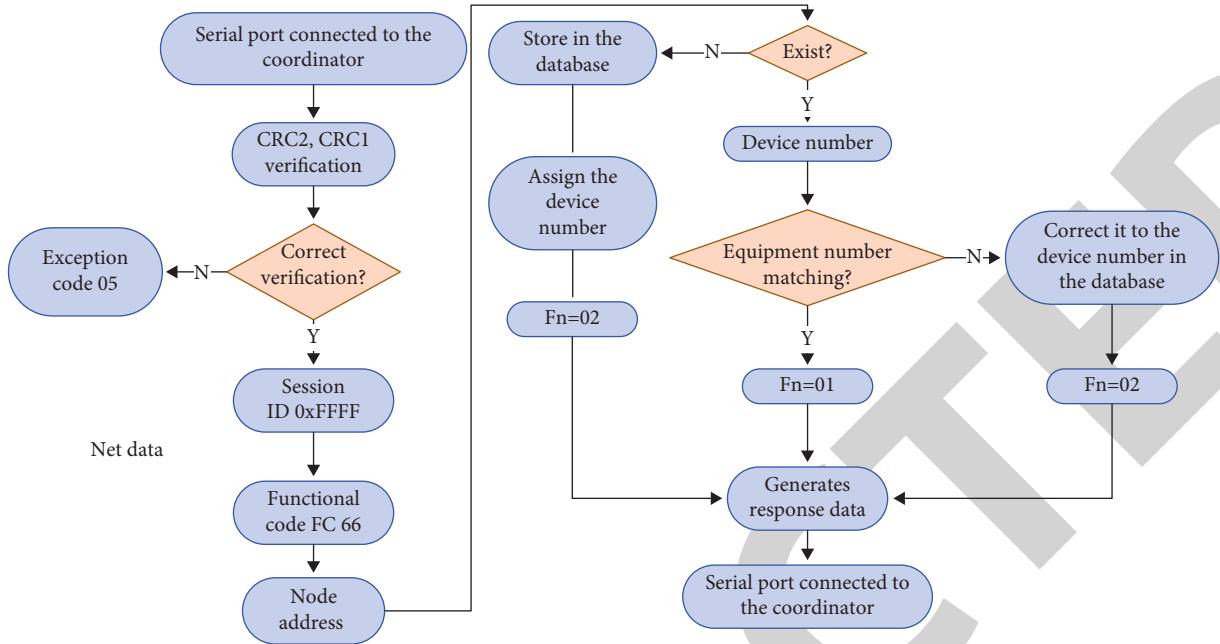


FIGURE 8: The flowchart of terminal processing of network access data.

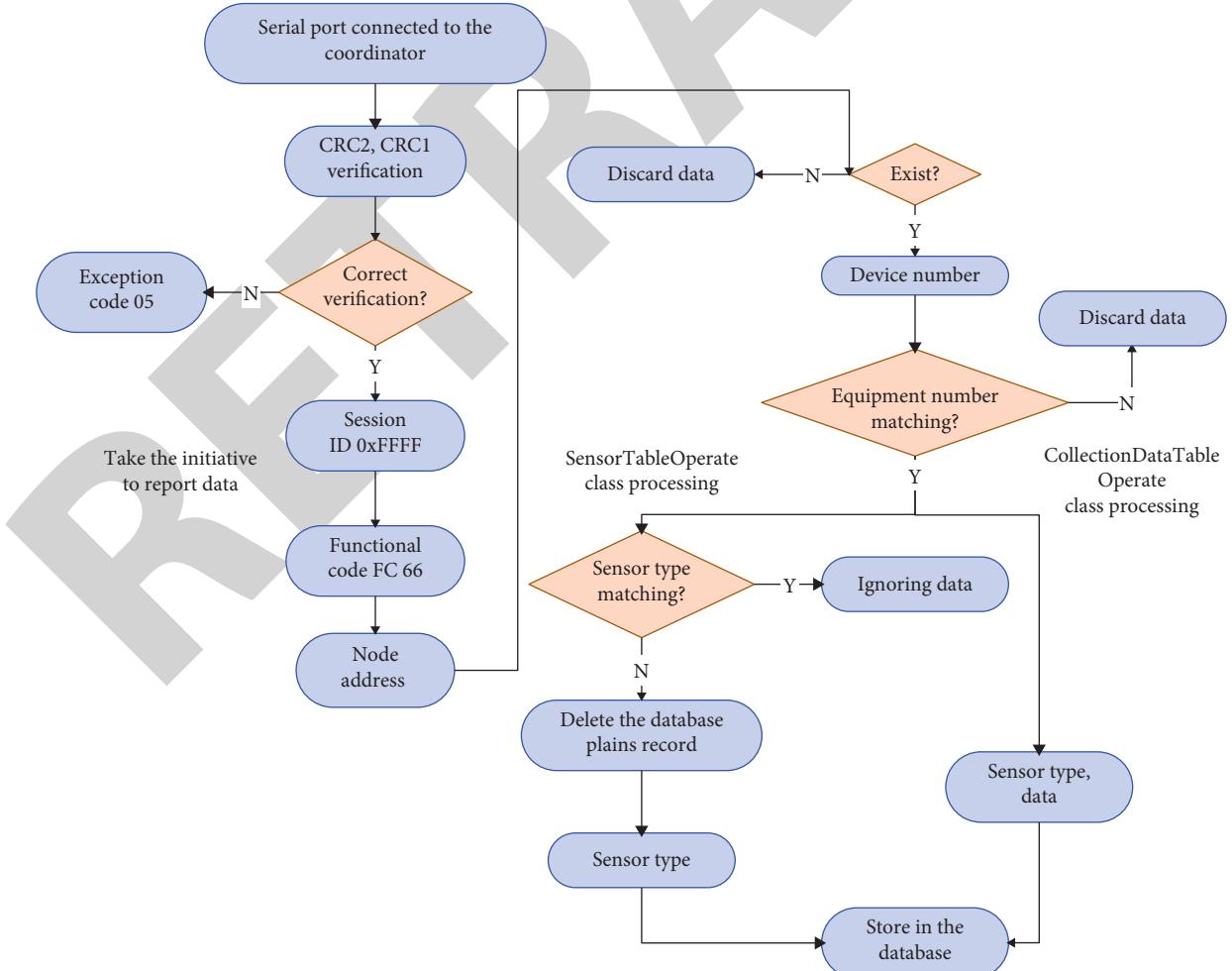


FIGURE 9: The flowchart of the terminal processing the actively reported data.

The overall control flowchart of the intelligent control system in this paper is shown in Figure 7. The specific control process is as follows: (1) The embedded intelligent terminal performs initialization operations and starts core services. (2) The embedded intelligent terminal is connected to the convergence point through the serial port, so that the coordinator can access the network. After the coordinator accesses the network, it accesses the control node, so that the control node accesses the network. (3) The sensor collects the data information of the controlled object, and after relevant processing such as A/D conversion of the control node, it actively periodically reports it to the embedded intelligent terminal according to the ZigBee private communication protocol format. (4) After the embedded intelligent terminal receives the data from the ZigBee network, it is handed over to the parsing module for processing, and the network data is distinguished from the data reported actively according to the function code. In the network access data, it extracts ZigBee network equipment information and stores it in the net equipment table of the database. The sensor data information and collected data information are extracted from the actively reported data and stored in the sensor table and collection data table, respectively, in the database. (5) It extracts the specific data information of the controlled object from the collected data and obtains the control vector corresponding to the current data through the offline look-up table method of the fuzzy intelligent control algorithm. (6) It encapsulates the obtained control vector into a control command in the ZigBee private communication protocol format and sends it to the corresponding device in the underlying sensor network. (7) The corresponding device at the bottom layer receives the control instruction, and after D/A conversion and other processing, the corresponding analog vector is output from the AO output interface of the control node and added to the control unit to realize real-time control of the controlled object.

Embedded intelligent terminals play a central role in the entire intelligent control system. The specific content can be seen in Figure 8. The interface between it and the coordinator is a serial port, which realizes the realization of the intelligent control function of the system by collecting information from the control node, intelligently analyzing the information, and intelligently issuing control commands.

If the node exists and matches, the actively reported data will be handed over to the two processing database subclasses for processing. Figure 9 shows the process of the smart terminal processing the actively reported data.

Through the above research, the performance verification of the intelligent control system in this paper is carried out. First, the algorithm effect evaluation of the intelligent vector control algorithm proposed in this paper is carried out. The statistical test results are shown in Figure 10.

Through the above research, it can be seen that the intelligent vector control algorithm proposed in this paper has a good intelligent effect, and then the evaluation of intelligent control effect of the automatic intelligent control system is carried out, and the result shown in Figure 11 is obtained.

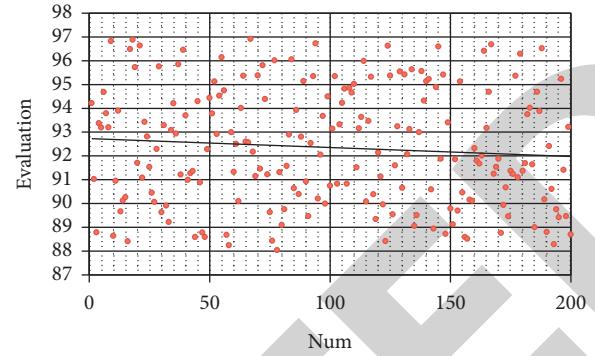


FIGURE 10: Evaluation of the intelligent effect of intelligent vector control algorithm.

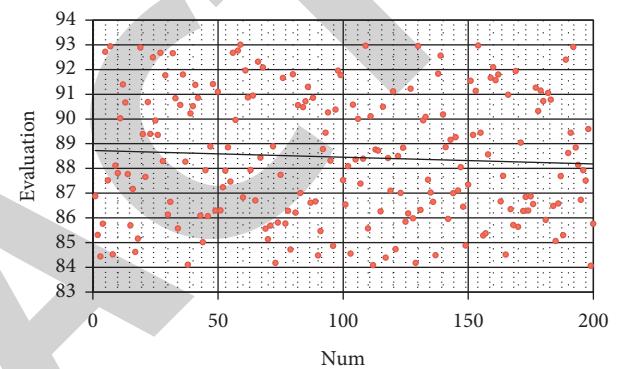


FIGURE 11: Evaluation of intelligent control effect of automated intelligent control system.

Through the above experimental analysis, it can be seen that the automated intelligent control system proposed in this paper has a better effect in intelligent control, and the embedded intelligent system of this paper can be applied to multiple systems with intelligent control requirements.

5. Conclusion

One of the characteristics of intelligent control is that it is suitable for uncertain or difficult-to-define process control, complex nonlinear controlled object control, and time-varying process control. As a complex model, the description can be quantitative (number or parameter) or qualitative (causal relationship) description. The second characteristic of intelligent control is that it uses self-adaptation, self-organization, self-learning, and other methods to improve the automation and intelligent control of the system. This enables it to process various uncertain, qualitative information and data structures, as well as unstructured information and data, process and utilize knowledge of different natures, identify changes in the structure or composition of the main control system, and modify or reconstruct its own parameters or structure according to changes in the main control system or environment. In addition, it is also fault-tolerant, capable of self-diagnosing, shielding, and self-recovering various faults. This paper combines the intelligent control algorithm to study the automated intelligent control system, builds the

intelligent control system model according to the current more advanced algorithm model, and verifies the system function through experimental research.

Data Availability

The labeled dataset used to support the findings of this study is available from the corresponding author upon request.

Conflicts of Interest

The author declares no competing interests.

Acknowledgments

This study was sponsored by Hubei University of Technology.

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