

Research Article

Shield Reliability Analysis-Based Transfer Impedance Optimization Model for Double Shielded Cable of Electric Vehicle

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Due to the high-voltage and high-current operating characteristics of the electric drive system of electric vehicles, it forms strong electromagnetic interference during the working process. The shielding effectiveness of the high-voltage connection cable that connects the components of the electric drive system is directly related to its electromagnetic interference emissions. Therefore, the modeling and analysis of the shielding effectiveness of the connection cable is very important for the development of a connection cable with good shielding effectiveness. Firstly, the transfer impedance value representing the shielding effectiveness of the shielded cable is analyzed, and the difference between the single-layer shield and the double-layer shield cable is compared. The influence of double-layer shielded high-voltage connection cables commonly used in electric vehicles on the shielding layer DC resistance and keyhole inductance is clarified. Secondly, the transfer impedance optimization model $Z_{T_D-Desmoulin}$ is obtained by combining with the single-layer shielded cable Desmoulin model and considering the influence of shielded layer DC resistance and keyhole inductance. Finally, three double-layer shielded cables of different types were selected for the triaxial test. The error rates of the test data and the $Z_{T_D-Desmoulin}$ optimization model are all lower than 20% in each frequency band, which verified the correctness, universality, and great engineering application value of the optimization model.

1. Introduction

Due to the high-voltage and high-current working characteristics of the electric drive system of electric vehicles, strong electromagnetic interference is formed during the working process. The shielding effectiveness of the high-voltage connection cables that connect the components of the electric drive system is directly related to its electromagnetic interference emission level [1, 2]. The connection cables with poor shielding efficiency usually cause the electromagnetic field emission level of the entire electric vehicle to exceed the standard. Therefore, how to effectively evaluate and test the shielding effectiveness of the connector assembly is the common concern for cable and connector suppliers and vehicle manufacturers.

To solve the above problems, scholars at home and abroad have carried out extensive research on the surface

transfer impedance of the connection cables. Vance [3] deeply studied the low-frequency characteristics when radiating to the cable braid and gave the most commonly used Z_d model formula. The braided inductance part was introduced by Tyni [4] to improve the accuracy when calculating the transfer impedance of high and low projection coverage cables; Demoulin and Degauque [5] proposed a new model that took into account the effects of additional fluctuations and generated additional attenuation; Marconi et al. [6] proposed a test method to measure the transfer impedance of two coaxial cables RG 213 under the same conditions and compared the test results with theoretical calculations; Xiaoling et al. [7] proposed a new model for accurately predicting the transfer impedance of braided coaxial cables by summarizing and studying the classical model; Mushtaq and Frei [8, 9] introduced the ground plate method (GPM) and capacitive voltage probe (CVP). He

compared the test results of the above methods with the triaxial injection method and line injection method. The above studies all used braided single-layer shielded cables as the research object. At present, high-voltage power cables on electric vehicles usually use double-layer shielding. The so-called double-layer shielding refers to the inner shielding layer using tinned copper wire braiding. The outer shielding layer is wrapped with aluminum-plastic composite tape (aluminum foil). However, domestic and foreign experts have not conducted in-depth research on the modeling method of double-layer shielded cables. The transfer impedance model of double-layer shielded cables is of great significance to the shielding effectiveness of vehicles. Therefore, it is necessary to carry out the research of the surface transfer impedance of the double-layer shielded cable connection cables.

In view of the above analysis, this article first introduces the difference in transfer impedance between single- and double-shielded cables, and the influence of double-layer shielded high-voltage connection cables used in electric vehicles on the shielding layer DC resistance and keyhole inductance is clarified. Then, based on the Demoulin model, the equivalent circuit diagram of the double-layer shielded cable is obtained by considering the influence of the shield layer DC resistance and keyhole inductance, and the optimization model of the double-layer shielded cable is established. Three sets of double-shielded cables are tested by the tri-coaxial method, and the correctness and generality of the optimized model are verified.

2. Surface Transfer Impedance and Its Analytical Formula

2.1. Surface Transfer Impedance. Surface transfer impedance [10, 11] is a characteristic parameter that characterizes the shielding performance of power cables. The lower the transfer impedance, the better the shielding performance of the cable and the stronger its electromagnetic immunity. It is defined [12] as the unit length of the cable. The induced voltage formed between the core wire and the shield layer when current flows through the shield layer (as shown in Figure 1), that is, the ratio of the axial voltage change rate on the braid layer to the axial current, and the calculation formula can be expressed as follows:

$$Z_T = \frac{1}{I_0} \frac{\partial V}{\partial z}, \quad (1)$$

where I_0 represents the current flowing through the outer surface of the braid; $(\partial V/\partial z)$ represents the effective value of the voltage per unit length of the uniform transmission line composed of the core wire and the shielding layer; z indicates the axial direction of the cable, as shown in Figure 1; l indicates the cable length.

2.2. Transfer Impedance Analytical Formula. Generally, the high-voltage power cables used in electric vehicles are braided shielded cables. As shown in Figure 2, the analytical model of the transfer impedance can be established by the

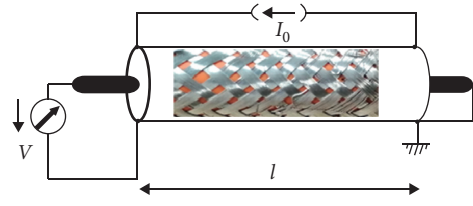


FIGURE 1: Schematic diagram of transfer impedance definition.

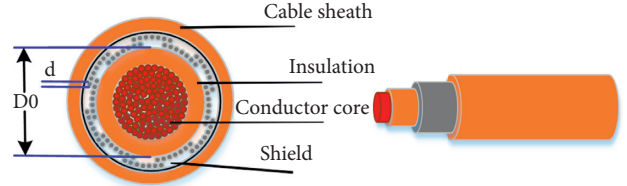


FIGURE 2: Schematic diagram of the shielded cable structure.

structural parameters of the cable braid and the electromagnetic field theory.

The analytical method can effectively analyze the influence of the parameterization of the shielded cable on the transfer impedance. Regarding the input parameters of the analytical model, the structural characteristics of the cable braid can be described by 7 parameters: the inner diameter of the braid D_0 , the diameter of the braided wire d , the number of braid strands contained in a circle on the braided layer c , the number of wires in each braided bundle N , the braid angle α , the conductivity of the braided layer σ , and the magnetic permeability of the braided layer. After these parameters, the transfer impedance value of the shielded cable can be simulated; refer to the schematic diagram in Figure 3.

2.3. Analysis of Transfer Impedance Characteristic Curve. For power shielded cables, the equivalent circuit can be built through the RLC electrical parameters, as shown in Figure 4. The inductance parameter L is mainly composed of the inductance L_c of the core conductor, the inductance L_s of the shielding layer, and the mutual inductance M_{cs} between the two. In addition, the influence of small hole inductance and braided inductance L_h and L_b should be considered on the braided layer. The resistance parameter R is mainly composed of the resistance of the internal conductor R_c and the resistance of the shielding layer R_s . The resistance is affected by the skin effect and changes with frequency. The skin effect will affect the shielding effectiveness of the cable and the impedance value at the resonance frequency. The capacitance parameter C is composed of the capacitance C_{cs} between the core wire and the shielding layer. The transfer impedance value is mainly affected by inductive coupling, so we should pay attention to the influence of these electrical parameters on the transfer impedance of the power cable [13].

As shown in Figure 5, the composition of the Z_T curve of the shielded cable transfer impedance model is analyzed. The dotted lines in the figure are several key components that

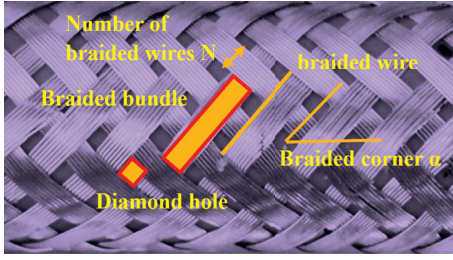


FIGURE 3: Schematic diagram of the structural parameters of the braid.

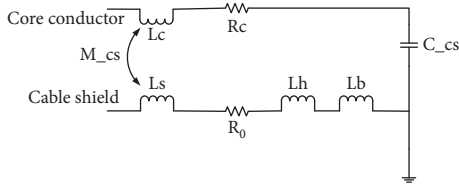


FIGURE 4: Shielded cable equivalent circuit diagram.

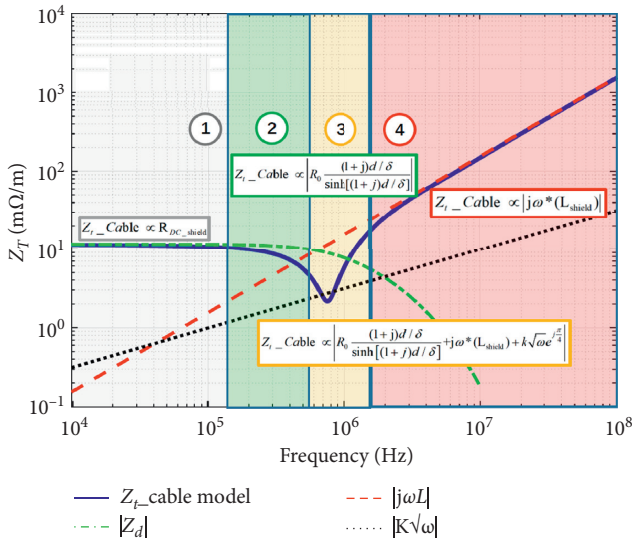


FIGURE 5: Z_T curve composition analysis diagram.

affect the value of transfer impedance, where Z_d is scattering impedance and $j\omega L$ is inductance and respectively, and the solid lines in the figure are the transfer impedance curves containing each component. In area 1 (gray), when the low frequency is less than 150 kHz, the current density in the braided shielding layer is evenly distributed, and the transfer impedance value is approximately the same as the DC resistance value R of the shielding layer. In zone 2 (green), the transfer impedance is mainly determined by the scattering impedance Z_d . As the frequency increases, the current density in the shielding layer becomes uneven. Due to the skin effect, the skin depth decreases according to the square root of the frequency, and the Z_T value decreases. In zone 3 (yellow) near 1 MHz, the transfer impedance value is determined by the scattering impedance Z_d , the small hole

inductance $j\omega Lh$, the braided inductance $j\omega Lb$, and the additional wave attenuation, resulting in an obvious inflection point. As the frequency increases further, the magnetic field leakage caused by the diamond-shaped holes in the braided layer increases, and the inductance component of the small holes increases. The weaving of the braided bundles that intersect each other in the braid layer will cause the cutting of magnetic flux, which will also generate induced electromotive force, forming braided inductance, and increase the transfer impedance value. In the case of high frequency, the magnetic field between the inner and outer layers of the woven mesh will cause eddy current effects and additional attenuation. In area 4 (red), it is greater than 2 MHz, which is mainly determined by the small hole inductance and braided inductance. As the frequency increases, the transfer impedance value continues to increase [14, 15].

3. Double-Layer Shielding Optimization Model

According to the above analysis of the composition of the Z_T curve, Z_T is mainly determined by the DC resistance when zone 1 (gray) is less than 150 kHz. At present, high-voltage power cables on electric vehicles usually adopt double-layer shielding. In addition to the inner tinned copper wire woven mesh, the outer layer is also wrapped with a layer of aluminum-plastic composite tape (aluminum foil), so the tested power cables also need to consider the influence of the DC resistance of the aluminum foil on the transfer impedance value at low frequencies.

In addition, it can be seen from Figure 6 that because the double-layer shielded cable [16] adds a layer of aluminum foil to the outside of the shielding layer, compared with the single-layer shielding, the diamond-shaped holes on the inside are covered by aluminum foil, which can effectively prevent the magnetic field from passing through small hole leaks, and the small hole inductance effect is greatly reduced and can be ignored. Therefore, it will affect the small hole inductance of the high-frequency part of area 4 (red) in Figure 5, and the transfer impedance value will theoretically decrease.

For the additional DC resistance value of aluminum foil, the aluminum foil layer model can be established by Q3D software for numerical analysis and calculation to extract the resistance value, as Figure 7 shows. Assuming that the aluminum foil model is ideal with a uniform thickness of 0.1 mm, any section can be selected for calculation. In order to reduce the calculation amount, the length is set to 100 mm, and the DC resistance of the aluminum foil in the cable under test is calculated. It is $0.004 \Omega/m$.

Demoulin proposed an analytical model of formula (12), taking into account the effects of additional volatility.

The additional wave effect is the eddy current effect caused by the magnetic field between the braided bundles of the inner and outer layers of the woven net at high frequencies, which will generate additional attenuation and lead to a decrease in the transfer impedance value in the high-frequency range. This component can be described by the eddy current caused by the tangential electric field on the shielding layer and is proportional to $\sqrt{\omega}$.

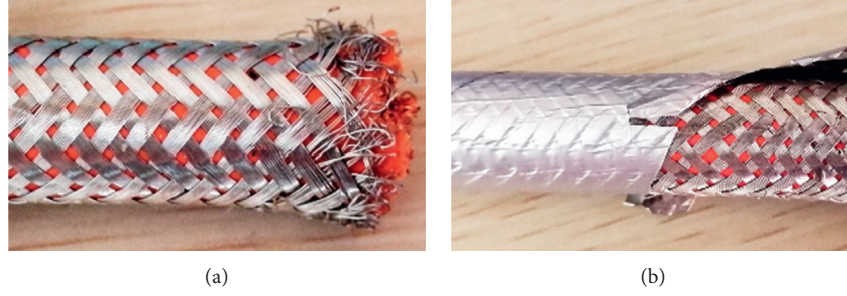


FIGURE 6: Single-layer shielded cable (a) and double-layer shielded cable (b).

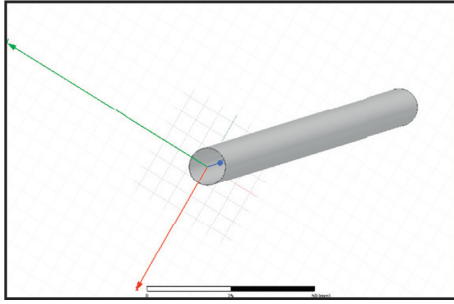


FIGURE 7: Aluminum foil Q3D calculation model.

$$Z_{T_Demoulin} = Z_d + j\omega(L_{h2} - L_{b1}) + k\sqrt{\omega}e^{j(\pi/4)}, \quad (2)$$

where

$$Z_d = R_0 \frac{(1+j)d/\delta}{\sinh[(1+j)d/\delta]}, \quad (3)$$

$$R_0 = \frac{4}{\pi d^2 N C \sigma \cos \alpha}, \quad (4)$$

$$\delta = \frac{1}{\sqrt{\pi f \mu \sigma}},$$

$$L_{h2} = \frac{2\mu C}{\pi \cos \alpha} \left[\frac{b}{\pi D_M} \right]^2 \exp^{[(-\pi d/b) - 2\alpha]}, \quad (5)$$

$$L_{b1} = \frac{\mu h}{4\pi D_M} (1 - \tan^2 \alpha), \quad (6)$$

$$k = -\frac{1.16}{N C d} \cdot \arctan \frac{N}{3} \cdot \sin\left(\frac{\pi}{2} - 2\alpha\right) \cdot \sqrt{\frac{\mu}{\sigma}}. \quad (7)$$

Considering the impact of double-layer shielding, the equivalent circuit diagram of a double-layer shielded cable as shown in Figure 8 is obtained. Double-layer shielded power cables need to be considered in the analytical optimization model due to the influence of the DC resistance of the additional aluminum foil and the elimination of the small hole inductance on the transfer impedance.

In summary, the double-layer shielding optimization model is as follows:

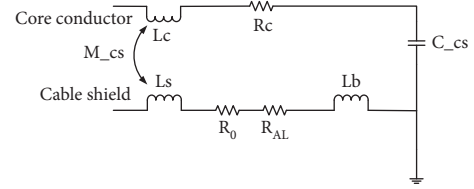


FIGURE 8: Equivalent circuit diagram of double-layer shielded cable.

$$Z_{T_D-Demoulin} = Z'_d - j\omega L_{b1} + k\sqrt{\omega}e^{j(\pi/4)}, \quad (8)$$

where

$$Z'_d = R' \frac{(1+j)d/\delta}{\sinh[(1+j)d/\delta]}, \quad (9)$$

$$R' = \frac{4}{\pi d^2 N C \sigma \cos \alpha} + R_{AL}, \quad (10)$$

$$k = -\frac{1.16}{N C d} \cdot \arctan \frac{N}{3} \cdot \sin\left(\frac{\pi}{2} - 2\alpha\right) \cdot \sqrt{\frac{\mu}{\sigma}}. \quad (11)$$

The single-layer shielding model and the double-layer optimization model were simulated and analyzed, as shown in Figure 9, considering increasing the DC resistance and eliminating the influence of the small hole inductance. It can be seen that the influence of the DC resistance is mainly in the low-frequency band and the influence of the inductance is in the high-frequency band. From the perspective of the overall optimization model, the transfer impedance of a double-layer shielded cable at high frequency is significantly lower than that of a single-layer shielded cable.

4. Triaxial Method Test and Model Comparison Verification

4.1. Triaxial Test. The triaxial method is a method in which the tested cable is placed in a coaxial nonferromagnetic good conductor tube for measurement, namely, the inner conductor of the cable core, the cable shielding layer, and the coaxial good conductor tube constituting a test device. The triaxial method can characterize the complex electromagnetic coupling mechanism [17] with directly measured

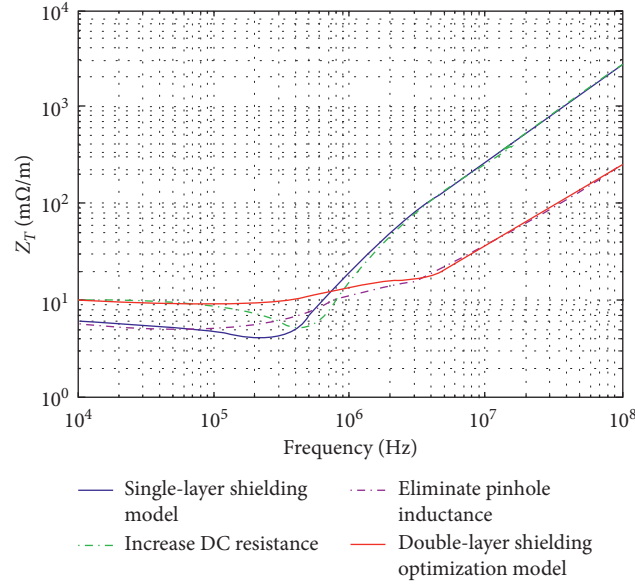


FIGURE 9: Comparison of single-layer shielding model and double-layer optimization model.

TABLE 1: Comparison of three coaxial a, b, and c methods [18].

Testing method	Test method a	Test method b	Test method c
Advantage	Test cut higher stop frequency	Measurement has more higher dynamic range	Suitable for measuring very low transfer impedance values (below $1 \mu\Omega/m$ and lower)
Cutoff frequency	$f_{cut} * l \approx 80 \text{ MHz} * m$	$f_{cut} * l \approx 25 \text{ MHz} * m$	$f_{cut} * l \approx 30 \text{ MHz} * m$
Disadvantages	Low dynamic range of measurement	Test cut lower frequency	The effect of capacitive coupling is suppressed by the short circuit in the primary and secondary circuits, and the test is quite sensitive
Features	Matching resistance and impedance mismatch Need to connect to the matching impedance network Near-end core wire injection	Only need to connect the terminal matching resistor Near-end core injection signal	No matching resistor No need to access matched impedance network inject signal from remote test tube

circuit parameters (the electromagnetic field that affects the shielding effectiveness is replaced by surface current and surface charge equivalent), suitable for asymmetric cables and different size and structure complex connector testing, and the test results are repeatable.

Table 1 shows the comparison of triaxial methods a, b, and c. Considering the test stability, ease of operation, and commonality, this test adopts the triaxial B method; refer to the test standard: IEC62153-4-3-2013 [19]. Figure 10 shows the triaxial test layout of the power cable.

Calculation method of the triaxial b method transfer impedance value:

$$Z_t = \frac{R_1 + Z_0}{2 \cdot L_c} \cdot 10^{-\{a_{\text{means}} - a_{\text{cal}}/20\}}, \quad (12)$$

where $a_{\text{means}} = 20 \log_{10}(S_{21})$ represents the measured attenuation loss, a_{cal} represents the composite loss measured during calibration, Z_0 represents the impedance of the signal

generator and receiver, usually 50Ω , and L_c represents the coupling length of the tested cable and R_1 represents terminal impedance.

4.2. Comparison and Verification of Multiple Samples. Combined with the triaxial b method test schematic diagram (as shown in Figure 11), the flowchart of the power cable test was developed (as shown in Figure 12). As shown in Table 2, three double-layer shielded cables with different parameters were selected for testing. In the test, the coupling length of the three groups of samples is 0.5 m. When the triaxial b method is used, the test cutoff frequency is 50 MHz (the maximum measurable 50 MHz). As shown in Figure 13, the test value of the sample cable in the figure produces a resonance point at 50 MHz and the trend of the transfer impedance curve changes. Comparing the simulation value of the double-layer shielding optimization model with the actual test value of the

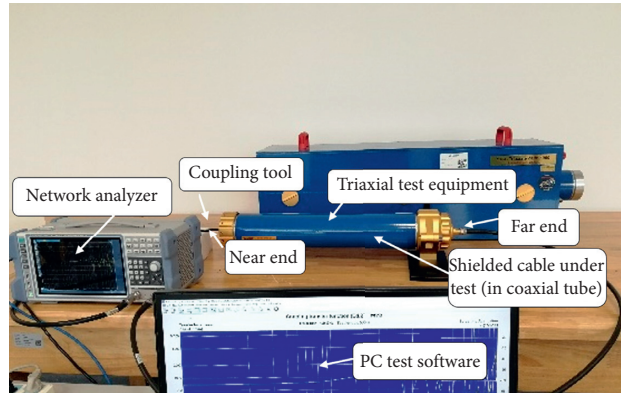


FIGURE 10: Physical diagram of power cable test layout.

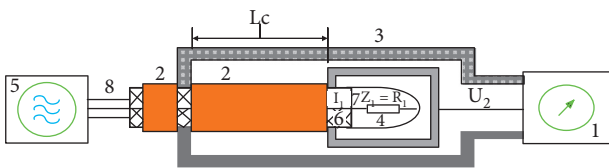


FIGURE 11: Schematic diagram of the test principle of the triaxial method. (1) Network analyzer or receiver; (2) cable insulation sleeve; (3) test sleeve; (4) terminal impedance R_1 length; (5) signal generator; (6) cable shield; (7) test core wire; (8) test connection line. L_c : cable coupling.

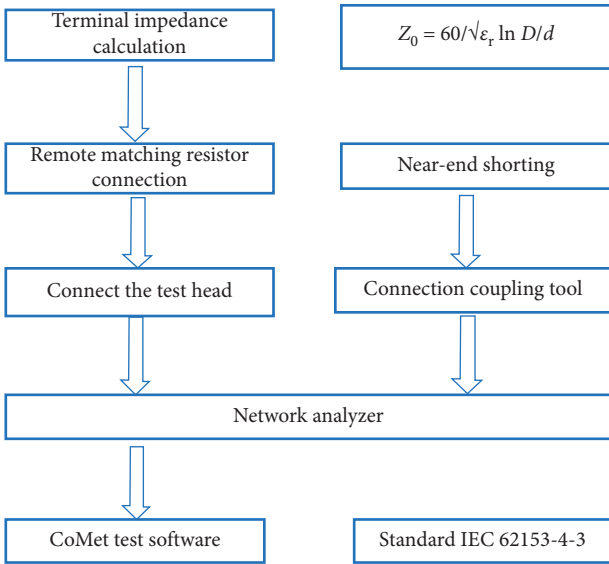


FIGURE 12: Power cable test flowchart.

TABLE 2: Sample cable parameters.

	Sample 1	Sample 2	Sample 3
Inner diameter of woven layer D_0 (mm)	10.3	11.58	10.02
Braided wire diameter d (mm)	0.15	0.15	0.15
Number of braid strands c	8	10	10
Number of wires per share n	24	24	24
Weaving angle α	35	38	38

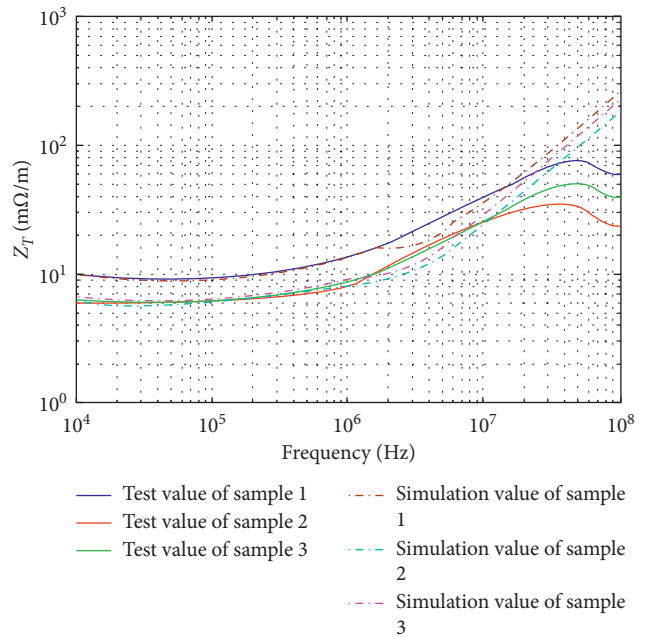


FIGURE 13: Comparison and analysis of simulated values and test values of samples 1, 2, and 3.

sample cable, it can be seen that the simulation models of the three samples have a good fitting effect.

Table 3 shows the numerical comparison between the optimized model and the test value of three different samples at several common frequencies. As can be seen from the data in Table 3, the simulated calculated value of the optimized model at each frequency point is very close to the actual measured value after removing the keyhole inductance and considering adding the aluminum foil DC resistance. At the frequency of 150 kHz, the error rates of the three samples were 2.16%, 0.50%, and 2.55%, which were all lower than 3%; at the frequency of 10 MHz, the error rates of sample 1 and sample 2 were 1.84% and 1.02%, respectively, both less than 2%, and the error rate of sample 3 is 9.01%. At 1 MHz and 2 MHz, the error rates of sample 1 were 7% and 8.86%, respectively, which were lower than 9%; the error rates of sample 2 and sample 3 were both lower than 12%; at 20 MHz

TABLE 3: Comparative analysis of optimization model and test value.

Frequency (kHz)	Sample 1 test value (mΩ/m)	Sample 2 test value (mΩ/m)	Sample 3 test value (mΩ/m)	Sample 1 optimization model (mΩ/m)	Sample 2 optimization model (mΩ/m)	Sample 3 optimization model (mΩ/m)	Sample 1 error rate (%)	Sample 2 error rate (%)	Sample 3 error rate (%)
150	9.74	6.05	6.27	9.532	6.08	6.11	2.16	0.50	2.55
1	12.72	8.06	8.27	13.61	8.72	9.13	7	8.19	10.40
2	17.04	11.15	11.33	15.53	9.88	10.61	8.86	11.39	6.35
10	37.52	24.52	25.86	36.83	24.27	28.19	1.84	1.02	9.01
20	54.94	35.33	43.09	61.09	41.4	50.28	11.19	17.18	16.69
30	68.37	48.07	57.93	78.14	57.56	69.05	14.29	19.74	19.20

and 30 MHz, the error rates of the three samples were less than 20%. In summary, the experimental data of the three samples and the calculation error rate of the optimization model in each frequency band were all less than 20%, which verified the correctness of the optimization model and the universality of the optimization model.

5. Conclusion

- (1) This paper analyzed the transfer impedance value representing the shielding effectiveness of the shielded cable, compared the difference between the single-layer shielded cable and the double-layer shielded cable, and clarified the influence of the double-layer shielded high-voltage connection cable commonly used in electric vehicles on the DC resistance and keyhole inductance of the shielded cable.
- (2) Considering the influence of the shielding layer's DC resistance and small hole inductance, the optimization model $Z_{T,D-Desmoulin}$ for the transfer impedance of the double-layer shielded cable was obtained, and the single-layer shielding model and the double-layer shielding model were simulated and analyzed. The influence of DC resistance in a low-frequency band and inductance in a high-frequency band was determined.
- (3) Three different types of double-shielded cables were selected for the triaxial test. The calculation error rates of the test data and the $Z_{T,D-Desmoulin}$ optimization model in each frequency band were less than 20%. At the frequency point of 10 MHz that the enterprise focuses on, the error rates of the three double-layer shielded cables were all lower than 10%, and two of them were 1.84% and 1.02%, which almost coincided with the test data. The correctness and generality of the optimization model were verified, and it had good engineering application value.

Data Availability

The data used to support the findings of this study are included within the article.

Conflicts of Interest

The authors declare that they have no conflicts of interest.

Acknowledgments

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