

A Milonga's input file for the 2D IAEA benchmark

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#
# BENCHMARK PROBLEM
#
# Identification: 11-A2          Source Situation ID.11
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#
# Descriptive Title: Two-dimensional LWR Problem,
#                   also 2D IAEA Benchmark Problem
#
# Reduction of Source Situation
#   1. Two-group diffusion theory
#   2. Two-dimensional (x,y)-geometry
#
#
# -----8<----- milonga's solution begins here -----8<-----
# the expected arguments are:
# $1 = number of the case
# $2 = type of geometry ( quarter / eighth )
# $3 = meshing algorithm ( delaunay / delquad )
# $4 = basic shape ( triangles / quads )
# $5 = discretization scheme ( volumes / elements )
# $6 = characteristic length of the element/cells
#
# we first create a subdirectory that will hold the
# files that correspond to the current case
SHELL "mkdir_p_$1-$2-$3-$4-$5-$6"
# and greet the user through the standard output
PRINT TEXT "case_$1-$2-$3-$4-$5-$6 NONNEWLINE
# tell milonga we face a two-dimensional two-groups
# problem with an unstructured grid
PROBLEM DIMENSIONS 2 GROUPS 2 MESH $1-$2-$3-$4-$5-$6/benchmark.msh
#
SCHEME $5 # spatial discretization scheme
Bg2 = 0.8e-4 # axial geometric buckling in the z direction
#
# materials and cross sections according to the two-group constants
# each material corresponds to a physical entity in the geometry file
# XS can be given as algebraic expressions of x and y if needed
MATERIAL fuel1 {
  D_1 1.5 SigmaA_1 0.010+1.5*Bg2 SigmaS_1->2 0.02
  D_2 0.4 SigmaA_2 0.080+0.4*Bg2 nuSigmaF_2 0.135 eSigmaF_2 0.135 }
MATERIAL fuel2 {
  D_1 1.5 SigmaA_1 0.010+1.5*Bg2 SigmaS_1->2 0.02
  D_2 0.4 SigmaA_2 0.085+0.4*Bg2 nuSigmaF_2 0.135 eSigmaF_2 0.135 }
MATERIAL fuel2+rod {
  D_1 1.5 SigmaA_1 0.010+1.5*Bg2 SigmaS_1->2 0.02
  D_2 0.4 SigmaA_2 0.130+0.4*Bg2 nuSigmaF_2 0.135 eSigmaF_2 0.135 }
MATERIAL reflector {
  D_1 2.0 SigmaA_1 0.000+2.0*Bg2 SigmaS_1->2 0.04
  D_2 0.3 SigmaA_2 0.010+0.3*Bg2 }
#
# boundary conditions as requested by the problem, applied
# to appropriate physical entities defined in the geometry file
PHYSICAL_ENTITY external BC robin -0.4692
PHYSICAL_ENTITY mirror BC mirror
#
# based on a geometry template file named $1.tpl for the
# type of symmetry used, generate a .geo file with the
# selected characteristic length, meshing algorithm and
# basic element/cell shape
# TODO: future versions ought to implement these kind of
# conditionals natively instead of relying on the shell
SHELL "echo_\`lc=$6;\`" >_$1-$2-$3-$4-$5-$6/benchmark.geo"
SHELL "cat_$2.tpl" >>_$1-$2-$3-$4-$5-$6/benchmark.geo"
SHELL "if_[_\`$3\`]=_\`delaunay\`];_`then_echo_\`Mesh.Algorithm=5;\`" <
>_$1-$2-$3-$4-$5-$6/benchmark.geo;_`fi"
SHELL "if_[_\`$3\`]=_\`delquad\`];_`then_echo_\`Mesh.Algorithm=8;\`" <
>_$1-$2-$3-$4-$5-$6/benchmark.geo;_`fi"
SHELL "if_[_\`$3\`]=_\`delquad\`];_`then_echo_\`Mesh.
RecombinationAlgorithm=8;\`" >>_$1-$2-$3-$4-$5-$6/benchmark.geo;_`fi"
SHELL "if_[_\`$4\`]=_\`quads\`];_`then_echo_\`Mesh.RecombineAll=1;\`" <
>_$1-$2-$3-$4-$5-$6/benchmark.geo;_`fi"
#
# call gmesh whilst measuring how much wall time it takes
t1 = cclock()
SHELL "gmsh_-2_$1-$2-$3-$4-$5-$6/benchmark.geo >_`/_dev/null"
mesh_time = cclock()-t1
#
# to force milonga to normalize the fluxes as requested, we
# can set a power setpoint equal to the core volume and fix
# eSigmaF = nuSigmaF (as we did in the MATERIAL section)
# in order to compute the volume of the core, we need to
# have the XS as functions of (x,y) available for integration
# this can only happen if we ask milonga to explicitly read
# the mesh before solving the eigenvalue problem with the
# READ_MESH keyword. Note that the mesh file for the problem
# was defined above with the PROBLEM keyword
READ_MESH
eps = 5e-3 # relative allowed integration error
key = 1 # GSL_INTEG_GAUSS15 (see GSL's documentation)
# we take the core as the geometric place of the
# points (x,y) that have a non-zero fission XS
incore(x,y) := greater(nuSigmaF_2(x,y),0)
power = integral(integral(incore(x,y), x, 0, 170, eps, key), y, 0, 170,
eps, key)
#
# we finally ask milonga to solve the eigenvalue problem
SOLVE_PROBLEM
#
# and then we proceed to answer the requested items
#
#-----
# item 1
# we save the effective multiplication factor with
# six decimal digits in a text file
OUTPUT_FILE keff $1-$2-$3-$4-$5-$6/1-keff.txt
PRINT FILE keff %.6f keff
# and the equivalent static reactivity in another one
rho = 1e5*(keff-1)/keff
OUTPUT_FILE rho $1-$2-$3-$4-$5-$6/1-rho.txt
PRINT FILE rho %.2f rho
#
# by the way, inform the user we are almos done
wall = mesh_time+read_mesh_time+build_matrices_time+solve_time
PRINT SEPARATOR "_" {
  TEXT "rho=" %.2f rho
  TEXT "pcm"
  TEXT "(" wall TEXT "secs)" }
#
#-----
# item 2 (not asked)
# write the two-dimensional flux distribution both in
# ASCII and in gmesh post-processing format
# the diffusion coefficient is included to help decide
# if a point is in the core or in the reflector
OUTPUT_FILE flux-dist-ascii $1-$2-$3-$4-$5-$6/2-flux-dist.dat
OUTPUT_FILE flux-dist-post $1-$2-$3-$4-$5-$6/2-flux-dist.pos
#
PRINT_FUNCTION FILE flux-dist-ascii phi_1 phi_2 power_density incore
WRITE_OUTPUT_FOR_POST flux-dist-post phi_1 phi_2 power_density
#
#-----
# item 2a
# the radial flux traverses phi(x,0) and phi(x,x)
OUTPUT_FILE flux-axis $1-$2-$3-$4-$5-$6/2a-flux-axis.dat
OUTPUT_FILE flux-diag $1-$2-$3-$4-$5-$6/2a-flux-diag.dat
#
phi1_axis(x) := phi_1(x,0)
phi2_axis(x) := phi_2(x,0)
#
phi1_diag(x) := phi_1(x,x)
phi2_diag(x) := phi_2(x,x)
#
PRINT_FUNCTION FILE flux-axis phi1_axis phi2_axis MIN 0 MAX 170 STEP 0.1
PRINT_FUNCTION FILE flux-diag phi1_diag phi2_diag MIN 0 MAX 170 STEP 0.1
#
#-----
# item 2b
# the maximum thermal flux has to be located in one of the
# solution points, and as computing the maximum of a 2-dimensional
# function is rather expensive, we use GNU sort over the
# ASCII file computed in item 2, filtering between the core
# and the reflector by the value of the fast diffusion coefficient
VAR x_max y_max phi1_max phi2_max
OUTPUT_FILE maximums $1-$2-$3-$4-$5-$6/2b-maximums.txt
#
SHELL "cat_$1-$2-$3-$4-$5-$6/2-flux-dist.dat |_`grep_1\`.000000e+00$_`sort <
>_`q_-k3_r_ |_`head_-n1 >_$1-$2-$3-$4-$5-$6/2b-maximum_core.dat"
IMPORT ASCII_FILE $1-$2-$3-$4-$5-$6/2b-maximum_core.dat x_max y_max <
phi1_max phi2_max
PRINT FILE maximums TEXT "maximum_thermal_flux_in_core_is_phi2=$_`" <
phi2_max TEXT "at_x=" x_max TEXT "y=" y_max
#
SHELL "cat_$1-$2-$3-$4-$5-$6/2-flux-dist.dat |_`grep_0\`.000000e+00$_`sort <
>_`q_-k3_r_ |_`head_-n1 >_$1-$2-$3-$4-$5-$6/2b-maximum_refl.dat"
IMPORT ASCII_FILE $1-$2-$3-$4-$5-$6/2b-maximum_refl.dat x_max y_max <
phi1_max phi2_max
PRINT FILE maximums TEXT "maximum_thermal_flux_in_reflector_is_phi2=$_`" <
phi2_max TEXT "at_x=" x_max TEXT "y=" y_max
#
#-----
# item 3 (and 7)
# we build a table with the average subassembly powers as item 7
# asks the average fluxes, we compute the two of them here
#
# the file assemblies.coords contains five columns with the
# coordinates that define each of the 38 subassemblies
FUNCTION xmin(k) FILE assemblies.coords COLUMNS 1 2
FUNCTION xmax(k) FILE assemblies.coords COLUMNS 1 3
FUNCTION ymin(k) FILE assemblies.coords COLUMNS 1 4
FUNCTION ymax(k) FILE assemblies.coords COLUMNS 1 5
#
# te allow the 8-symmetry geometry, we define "symmetric
# functions" that mirror the power and the fluxes around the
# line y = x, otherwise for those assemblies that contain a
# small area with y > x, their averages would be underestimated
simpow(x,y) := if(greater(x,y), power_density(x,y), power_density(y,x))
simpphi1(x,y) := if(greater(x,y), phi_1(x,y), phi_1(y,x))
simpphi2(x,y) := if(greater(x,y), phi_2(x,y), phi_2(y,x))
#
# volume of the k-th subassembly
vol(k) := (xmax(k)-xmin(k))*(ymax(k)-ymin(k))
#
# number of points used in the gauss-legendre quadrature
points = 8
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mean_power(k) := 1/vol(k) * gauss_legendre(gauss_legendre( simpow(x,y), ←
x, xmin(k), xmax(k), points), y, ymin(k), ymax(k), points)
mean_flux_1(k) := 1/vol(k) * gauss_legendre(gauss_legendre(simpl1(x,y), ←
x, xmin(k), xmax(k), points), y, ymin(k), ymax(k), points)
mean_flux_2(k) := 1/vol(k) * gauss_legendre(gauss_legendre(simpl2(x,y), ←
x, xmin(k), xmax(k), points), y, ymin(k), ymax(k), points)

OUTPUT_FILE table $1-$2-$3-$4-$5-$6/3-table.dat
PRINT TEXT "\#P_kfast_kthermal_k" FILE table
PRINT_FUNCTION mean_power mean_flux_1 mean_flux_2 MIN xmin_a MAX xmax_b ←
STEP 1 FILE table FORMAT %.3f

#-----
# items 4, 5 & 6
# the requested information is written by milonga if
# the keyword DEBUG is used
DEBUG FILE_PATH $1-$2-$3-$4-$5-$6/4-info.txt

#-----
# item 7
# included in point 3

#-----
# item 8
# it is not clear what does "results" mean, but we
# write a text file with some information we can later
# use to compare all the cases as a function of the
# size of the problem matrices (number of unknowns)
OUTPUT_FILE times $1-$2-$3-$4-$5-$6/8-results.dat
PRINT FILE times {
  %g unknowns nodes cells elements
  %e keff rho
  mesh_time read_mesh_time build_matrices_time solve_time
  %.2f wall }

# -----8<----- milonga's solution ends here -----8<-----

```